

Paper length (your papers) are required to be a minimum of 6 pages, spacing of 1.5 lines and margins of no more than 1" on all sides.

Sample Topics for Papers and Presentations

A great source of interesting papers are those recently published by Christos Papadimitriou

http://dblp.uni-trier.de/pers/hd/p/Papadimitriou:Christos_H=

Computer-Assisted Theorem Proving

Semi-Automated Theorem Proving

<http://homotopytypetheory.org/book/>

Four-Color Problem

<http://www.ams.org/notices/200811/tx081101382p.pdf>

Collatz Conjecture: The $3x+1$ problem

https://www.maa.org/sites/default/files/pdf/upload_library/22/Ford/Lagarias3-23.pdf

Factor Replacement

$2x \rightarrow x$

$x \rightarrow 3x+1$

Unordered Factor Replacement or Petri Net

$2x \rightarrow x$

$2x+1 \rightarrow 6x+4$

2-Tag System where start with a sequence of a's

$a \rightarrow bc$

$b \rightarrow a$

$c \rightarrow aaa$

Chen, H-L, Doty, D. & Soloveichik, D. (2014). Rate-independent computation in continuous chemical reaction networks. *Proceedings of the 5th Innovations in Theoretical Computer Science Conference*, (Princeton, New Jersey, USA, January 12-14, 2014), pp. 313-326.

<http://www.dna.caltech.edu/~ddoty/papers/dfccrn-journal.pdf>

Chen, H. L., Doty, D., & Soloveichik, D. (2012). Deterministic function computation with chemical reaction networks. In *DNA Computing and Molecular Programming* (pp. 25-42). Springer Berlin Heidelberg.

<http://www.dna.caltech.edu/~ddoty/papers/dfccrn-journal.pdf>

Cook, M. (2004). Universality in elementary cellular automata. *Complex Systems*, 15(1), 1-40.

<http://www.complex-systems.com/pdf/15-1-1.pdf>

Doty, D. (2012). Theory of algorithmic self-assembly. *Communications of the ACM* 55(12): 78-88.

<http://www.dna.caltech.edu/~ddoty/papers/tasa.pdf>

Doty, D., Lutz, J. H., Patitz, M. J., Schweller, R. T., Summers, S. M., & Woods, D. (2012). The tile assembly model is intrinsically universal. In *Foundations of Computer Science (FOCS) 2012*, 302-310.

<http://www.dna.caltech.edu/~ddoty/papers/tamiu.pdf>

Neary, T., & Woods, D. (2006). P-completeness of cellular automaton Rule 110. In *Automata, Languages and Programming* (pp. 132-143). Springer Berlin Heidelberg
http://link.springer.com/chapter/10.1007/11786986_13

Ahmadi, A., Olshevsky, A., Parrilo, P., Tsitsiklis, J. (2013). NP-hardness of Deciding Convexity of Quartic Polynomials and Related Problems. *Mathematical Programming*, February 2013, Volume 137, Issue 1-2, 453-476
<http://link.springer.com/article/10.1007%2Fs10107-011-0499-2#>

Kevin Leyton-Brown, Holger H. Hoos, Frank Hutter, and Lin Xu. (2014). Understanding the empirical hardness of NP-complete problems. *Commun. ACM* 57, 5 (May 2014), 98-107.

<http://cacm.acm.org/magazines/2014/5/174350-understanding-the-empirical-hardness-of-np-complete-problems/fulltext>

Fabio L. Traversa, Chiara Ramella, Fabrizio Bonani, and Massimiliano Di Ventra1 (2014). Memcomputing NP-complete problems in polynomial time using polynomial resources and collective states,

<http://arxiv.org/pdf/1411.4798v2.pdf>

Textbook resources for topics that you might choose from

Arora&Barak, *Computational Complexity: A Modern Approach*, Cambridge University Press, 2009.

<http://www.cs.princeton.edu/theory/complexity/>

Oded Goldreich, *P, NP, and NP-Completeness: The Basics of Complexity Theory*, Cambridge University Press, 2010.

<http://www.wisdom.weizmann.ac.il/~odedg/bc-drafts.html>

Oded Goldreich, *Computational Complexity: A Conceptual Approach*, Cambridge University Press, 2008.

<http://www.wisdom.weizmann.ac.il/~odedg/cc-drafts.html>

Examples from above are:

Interactive Proofs

Probabilistic Computation

PCP Theorem (Hardness of Approximation)

Probabilistic Proof Systems

Quantum Computing

Randomized Algorithms

Promise Problems

Topics from Last Year

(Not available this year unless some new results came out in last year)

Compute Arbitrary Functions Over Encrypted Data

Turing test as a defining feature of AI-completeness

On NP-Completeness of modularity based algorithms for community detection in graphs

Complexity Analysis on the NP-hard problem of “Generalized Minimum Clique

Problem" and Studying two tractable solutions for solving it.
On the undecidability of probabilistic planning and related stochastic optimization problems
On A fast algorithm for equitable coloring"
Saving space by algebraization
NP-Completeness of the Minimum Manhattan Network Problem
Testing properties of sparse images
Statistical Model Checking
Rush Hour is PSPACE-complete, or "Why you should generously tip parking lot attendants"
Short Lists with Short Programs in Short Time
Rule 110
UNO is hard, even for a single player
Modeling multiple-object tracking as constrained flow optimization problem
Universality in Elementary Cellular Automata
On the computational complexity of a game of cops and robbers.
Self-Assembly for Computation
Complexity of Classic Video Games
Closing Complexity Gaps for Coloring Problems on H-Free Graphs
Deterministic function computation with chemical reaction networks
Turing and Super-Turing Capabilities of Neural Networks
A Comprehensive Study of Self-Assembly in Various Computational Environments
A Hypergraph Partitioner for Sparse Matrix Partitioning
An Energy Complexity Model for Algorithms