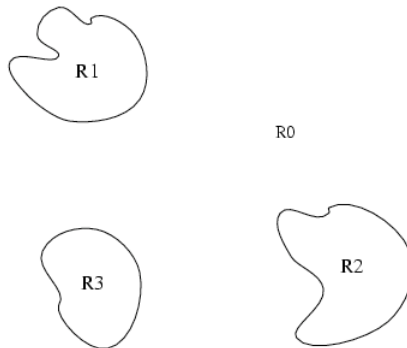


Lecture-9

Region Segmentation

Segmentation



Segmentation

- Partition $f(x,y)$ into sub-images: R_1, R_2, \dots, R_n such that the following constraints are satisfied:

- $\bigcup_{i=1}^n R_i = f(x,y)$

- $R_i \cap R_j = \emptyset, i \neq j$

- Each sub-image satisfies a predicate or set of predicates

- All pixels in any sub-image must have the same gray levels.
- All pixels in any sub-image must not differ more than some threshold
- All pixels in any sub-image may not differ more than some threshold from the mean of the gray of the region
- The standard deviation of gray levels in any sub-image must be small.

Simple Segmentation

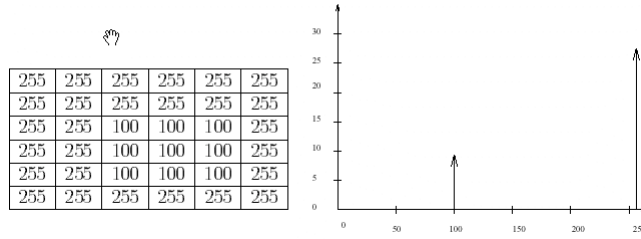
$$B(x, y) = \begin{cases} 1 & \text{if } f(x, y) < T \\ 0 & \text{Otherwise} \end{cases}$$

$$B(x, y) = \begin{cases} 1 & \text{if } T_1 < f(x, y) < T_2 \\ 0 & \text{Otherwise} \end{cases}$$

$$B(x, y) = \begin{cases} 1 & \text{if } f(x, y) \in Z \\ 0 & \text{Otherwise} \end{cases}$$

Histogram

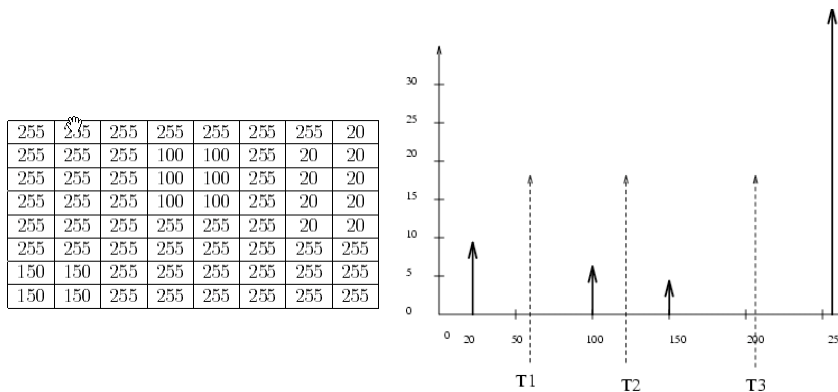
Histogram graphs the number of pixels in an image with a Particular gray level as a function of the image of gray levels.



```

For (I=0, I<m, I++)
  For (J=0, J<n, J++)
    histogram[f(I,J)]++;
  
```

Example



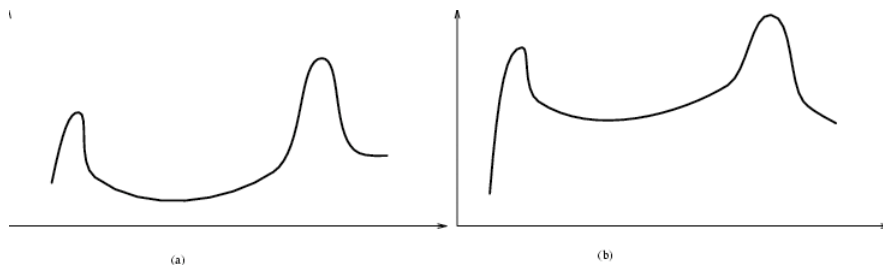
Segmentation Using Histogram

$$B_1(x, y) = \begin{cases} 1 & \text{if } 0 < f(x, y) < T_1 \\ 0 & \text{Otherwise} \end{cases}$$

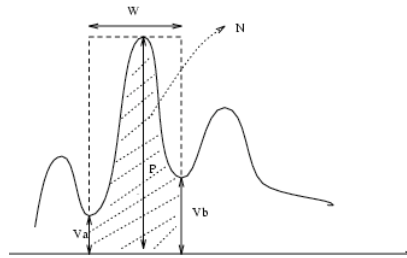
$$B_2(x, y) = \begin{cases} 1 & \text{if } T_1 < f(x, y) < T_2 \\ 0 & \text{Otherwise} \end{cases}$$

$$B_3(x, y) = \begin{cases} 1 & \text{if } T_2 < f(x, y) < T_3 \\ 0 & \text{Otherwise} \end{cases}$$

Realistic Histogram



Peakiness Test

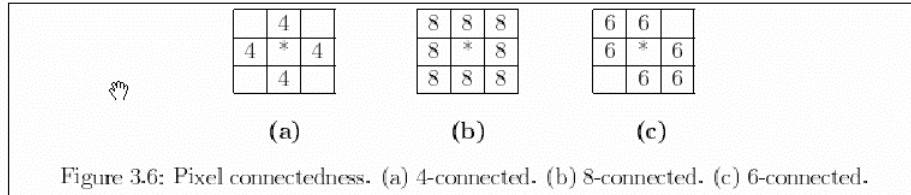


$$Peakiness = \frac{(V_a + V_b)}{2P} \frac{N}{(W.P)}$$

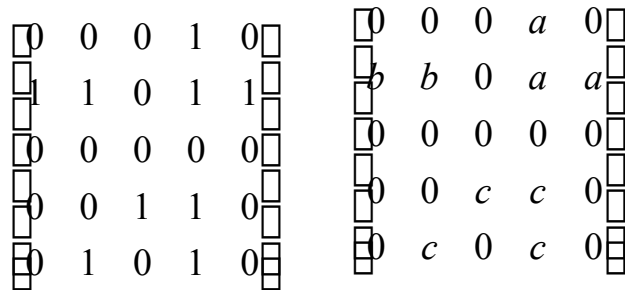
Connected Component

0	0	0	1	0	0	0	0	a	0
1	1	0	1	1	b	b	0	a	a
0	0	0	0	0	0	0	0	0	0
0	0	1	1	0	0	0	c	c	0
0	1	0	1	0	0	d	0	c	0

Connectedness



Connected Component



Recursive Connected Component Algorithm

1. Scan the binary image left to right, top to bottom.
2. If there is an unlabeled pixel with a value of '1' assign a new label to it.
3. Recursively check the neighbors of the pixel in step 2 and assign the same label if they are unlabeled with a value of '1'.
4. Stop when all the pixels of value '1' have been labeled.

Figure 3.7: Recursive Connected Component Algorithm.

Sequential

0	0	0	1	0	0	0	0	<i>a</i>	0
1	1	0	1	1	b	<i>b</i>	0	<i>a</i>	a
0	0	0	0	0	0	0	0	0	0
0	0	1	1	0	0	0	<i>c</i>	<i>c</i>	0
0	1	1	1	0	0	<i>d</i>	<i>c</i>	<i>c</i>	0

$d=c$

Sequential Connected Component Algorithm

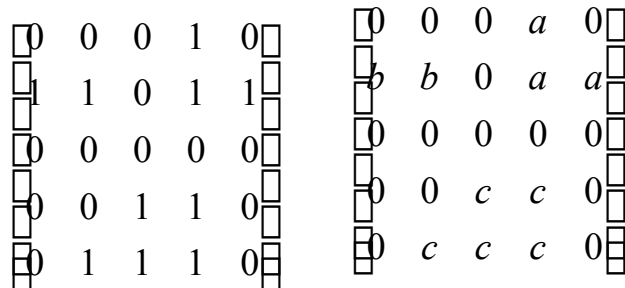
1. Scan the binary image left to right, top to bottom.
2. If an unlabeled pixel has a value of '1', assign a new label to it according to the following rules:

0	\rightarrow	0		0	\rightarrow	0
0	1	\rightarrow	0	L	L	L
L	\rightarrow	L		L	\rightarrow	L
0	1	\rightarrow	0	L	M	L

(Set $L = M$).
3. Determine equivalence classes of labels.
4. In the second pass, assign the same label to all elements in an equivalence class.

Figure 3.8: Sequential Connected Component Algorithm.

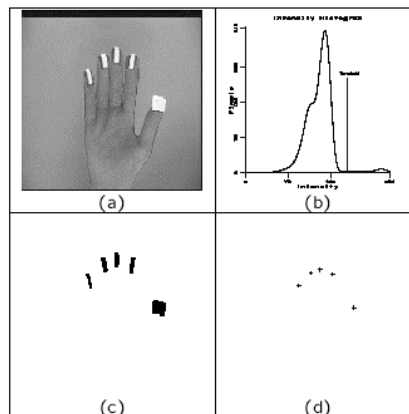
Recursive



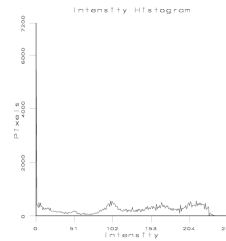
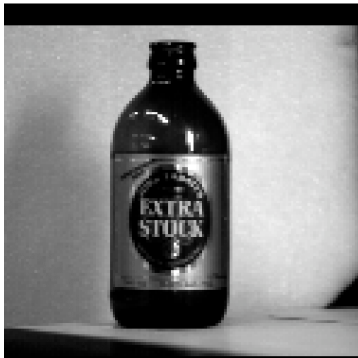
Steps in Segmentation Using Histogram

1. Compute the histogram of a given image.
2. Smooth the histogram by averaging peaks and valleys in the histogram.
3. Detect good peaks by applying thresholds at the valleys.
4. Segment the image into several binary images using thresholds at the valleys.
5. Apply connected component algorithm to each binary image find connected regions.

Example: Detecting Fingertips

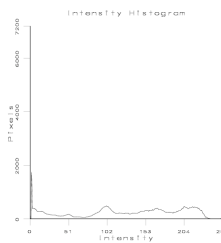


Example-II

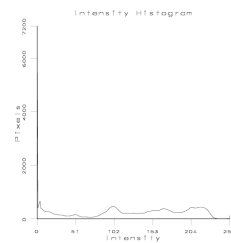


93 peaks

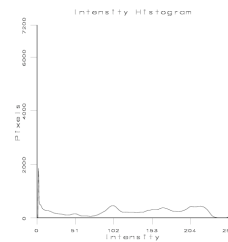
Smoothed Histograms



Smoothed histogram
(averaging using mask
Of size 5)
54 peaks (once)
After peakiness 18



Smoothed histogram
21 peaks (twice)
After peakiness 7



Smoothed histogram
11 peaks (three times)
After peakiness 4

Regions



(0,40)

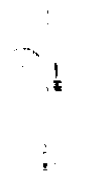


(40, 116)

Regions



(116,243)



(243,255)