

Effective Verification of Systems with a Dynamic Number of Components

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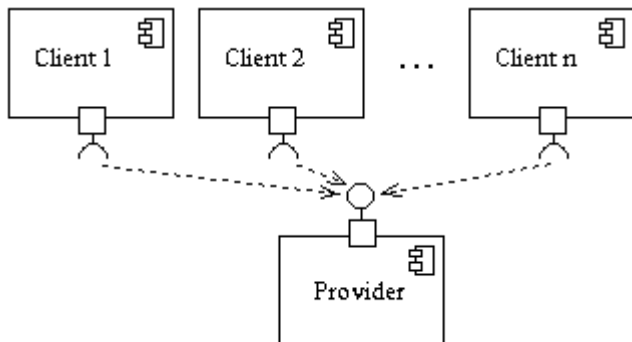
1 Dynamic systems

2 Properties

- Dynamic system properties in general
- Properties we are interested in

3 Verification

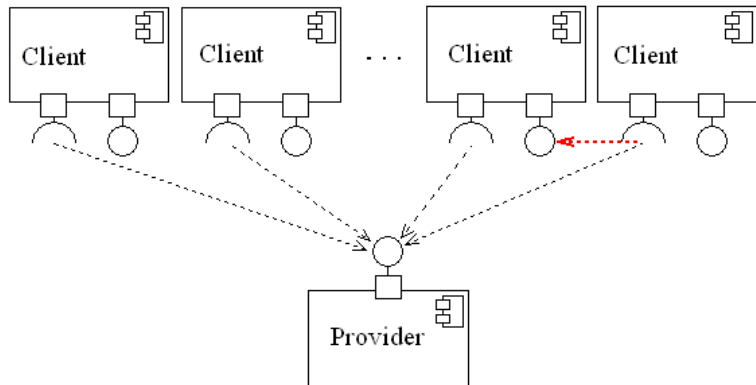
Dynamic systems – Introduction



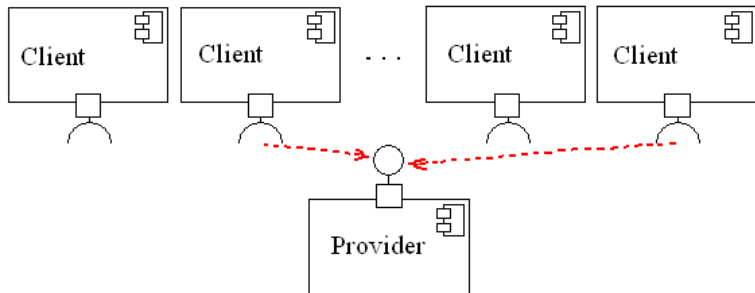
\mathcal{S} - Dynamic system

\mathcal{S}_n - Dynamic system with n clients deployed

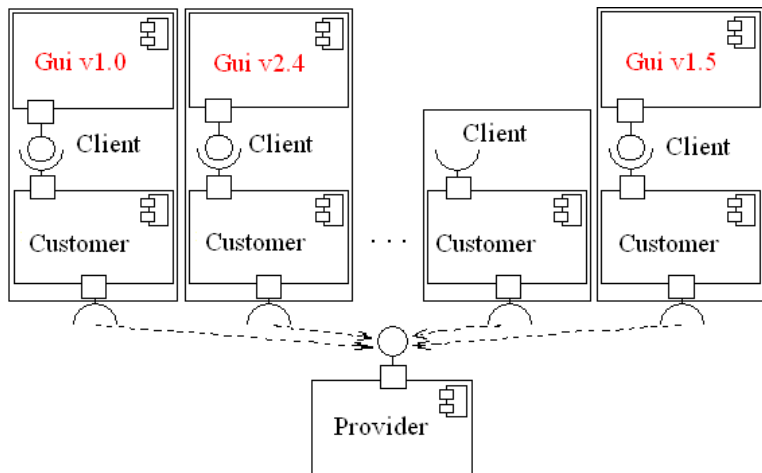
Dynamic system – Definition



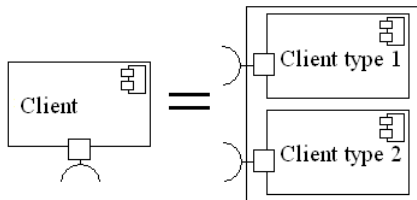
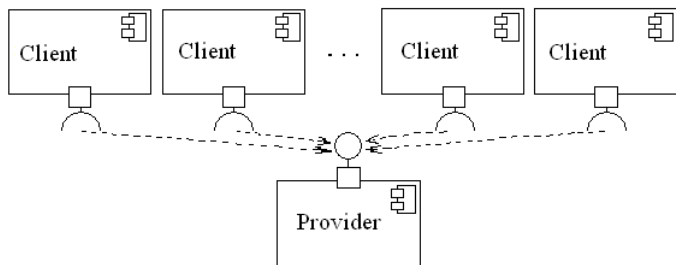
Dynamic system – Definition



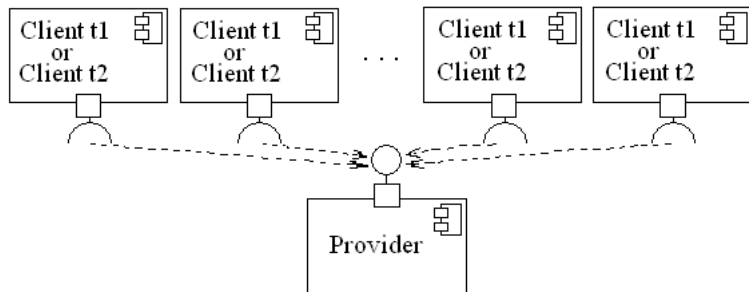
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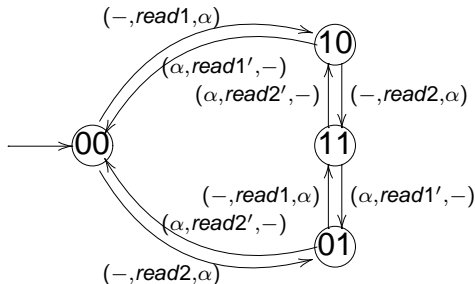


Dynamic system – Definition



Specification language

We use **Component Interaction automata**



A hierarchy of component names: (α)

Can be modelled by

- **Finite transitions systems** or
- **Regular-like expressions**

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Properties — Example

“If a client of the system sends a request, then he will receive a response.”

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$\forall n \in \mathbb{N}_0: \mathcal{S}_n \models \varphi_n$

Properties — Introduction

- Property: $\{\varphi_i\}_{i \in \mathbb{N}_0}$
- Property is satisfied $\Leftrightarrow \forall n \in \mathbb{N}_0 : \mathcal{S}_n \models \varphi_n$
- We use
 - φ_i - temporal logic *CI-LTL*
 - *CI-LTL* - an extension of action based LTL
 - $\mathcal{P}(I)$ - I is performed as the first action of the path
 - $\mathcal{E}(I)$ - I is enabled in the first state of the path

Properties — Main restriction

Restrictions

- no distinctions among clients,
- properties whose violation involves only a finite number of observed components
- *Property*(\mathcal{S}, m)
 - no distinction among clients
 - violation involves m observed components

Properties — $Property(\mathcal{D}, m)$ – Examples

Example 1/3:

- *"If a client of the system sends a request, then he will receive a response."*
- path π violates it \Rightarrow a client *"send a request and does not receive a response"*
- we can observe only this client, to show that this property is violated in π
- we need to observe **1** client.
- $\in Property(\mathcal{S}, 1)$

Properties — $Property(\mathcal{D}, m)$ – Examples

Example 2/3:

- *“Two clients can not be able to receive a response at the same time.”*
- path π violates it \Rightarrow clients j_1 and j_2 “can receive a response at the same time”
- we can observe only clients j_1 and j_2 , to show that this property is violated in π
- we need to observe 2 clients.
- $\in Property(\mathcal{S}, 2)$

Properties — $Property(\mathcal{D}, m)$ – Examples

Example 3/3:

- *"The system does not contain a deadlock."*
- path π violates it \Rightarrow all clients and provider reach the state from which they can not continue
- we must observe all clients, to show that this property is violated in π
- we need to observe n clients in \mathcal{S}_n .
- $\notin Property(\mathcal{S}, m)$ for any $m \in \mathbb{N}_0$

Properties — $Property(\mathcal{D}, m)$ – Overview

- ✓ *If a component **tries to emit** an event on its required interface, the counterpart is **able to absorb** it.*
Interface automata, SOFA
- ✗ *System does not contain a **deadlock**.*
FOCUS, JavaA, rCOS, SOFA
- ✓ *Situation when communication of components in the group never finished is unreachable.*
SOFA
- ✗ *A state in which more than half of clients are in a critical section is unreachable.*

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Verification — Introduction

Verification problem

Input: \mathcal{S} ,

$\{\varphi_i\}_{i \in \mathbb{N}_0} \in \text{Property}(\mathcal{S}, m)$ for some $m \in \mathbb{N}_0$

Question: $\forall i \in \mathbb{N}_0 : \mathcal{S}_i \models \varphi_i?$

Verification of **infinitely many** finite state transition systems.

Our solution

find $k \in \mathbb{N}_0$ such that if $\mathcal{S}_0 \models \varphi_0$,

$\mathcal{S}_1 \models \varphi_1$,

\vdots

$\mathcal{S}_k \models \varphi_k$,

then $\forall n \in \mathbb{N}_0 : \mathcal{S}_n \models \varphi_n$.

Verification of **finitely many** finite state transition systems.

Verification – Our solution

Input S ,

$\{\varphi_i\}_{i \in \mathbb{N}_0}$,

$m: \{\varphi_i\}_{i \in \mathbb{N}_0} \in \text{Property}(S, m)$.

Intermediate data

- X - set containing all labels necessary for verification of $\{\varphi_i\}_{i \in \mathbb{N}_0}$
- $|\mathcal{D}|_X \in \mathbb{N}_0 \cup \{\infty\}$

Output

$k = |\mathcal{D}|_X + m \in \mathbb{N}_0 \cup \{\infty\}$

Verification – Problem

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Conclusions

- Dynamic systems
- Properties
- Properties whose violation involves finite number of clients
- Verification

Conclusions

Thank you for you attention.