Performance Specifications Based upon Complete Profiles

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Our Starting Point

D. Parnas:

 A good specification should tell a client everything he needs to know about a component and nothing more.

Us:

 A client needs to know not only about the functionality provided by a component, but also about its performance.

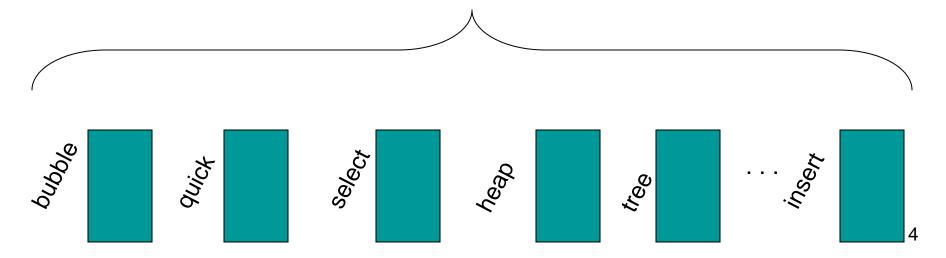
Goals for a Performance Specification Mechanism

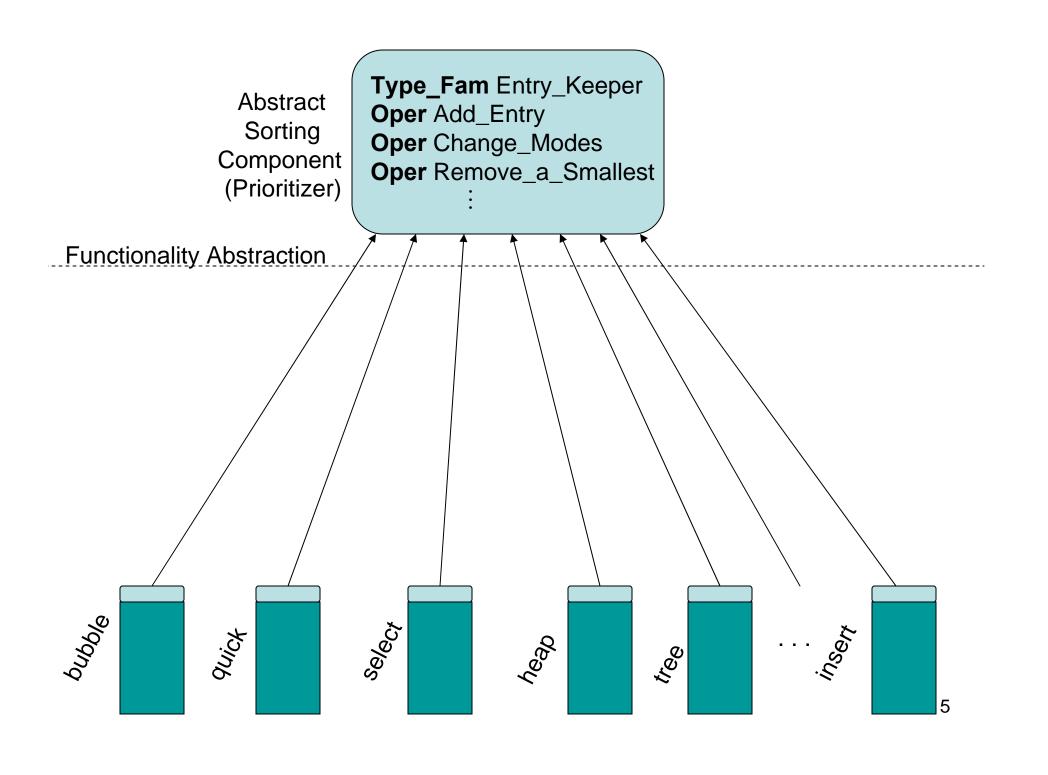
It should support:

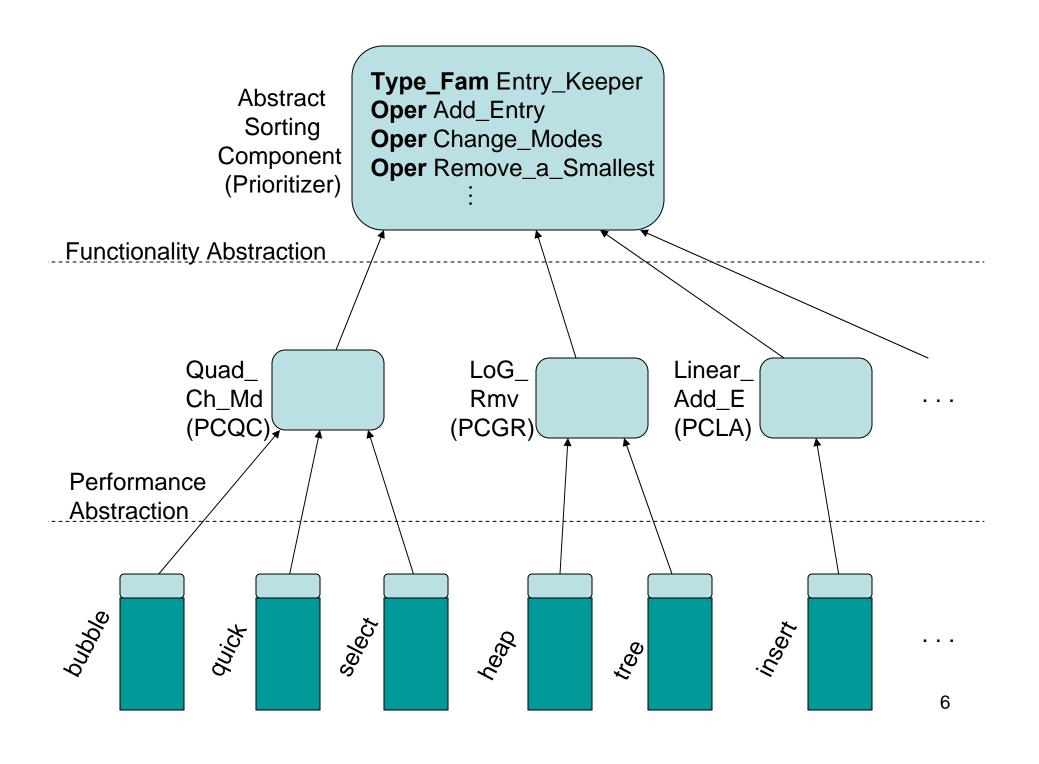
- Abstracting away confusing details
- Retaining adequate precision (completeness)
- Scaling for arbitrarily large components
- Verifying correctness of compositions
- Extending functional specifications and critically:
- Describing commonalities

Commonality Identification Example

Various "Sorting" Implementations







Simple Profile Example with Stacks

```
Concept Stack_Template( type Entry; eval Max_Depth:
 Type_Family Stack ⊆ Str(Entry);
 Operation Push( alters E: Entry; updates S: Stack );
     requires |S| < Max_Depth;
     ensures S = \langle \#E \rangle \circ \#S;
 Operation Pop( replaces R: Entry; updates S: Stack );
     requires |S| > 0;
     ensures \#S = \langle R \rangle \circ S;
 Operation Depth_of( preserves S: Stack ): Integer;
     ensures Depth_of = ( |S| );
```

```
Enhancement Flipping_Capability for Stack_Template;
   Operation Flip( updates S: Stack );
      ensures S = #S<sup>Rev</sup>:
end Flipping_Capability;
Possible Implementation:
   Realization Obvious_F_C_Realiz for Flipping_Capability
       Procedure Flip( updates S: Stack );
           Var Next_Entry: Entry;
           Var S_Flipped: Stack;
           While Depth_of(S) \neq 0
               affecting S, S_Flipped, Next_Entry;
               maintaining #S = S_Flipped<sup>Rev</sup> • S and
                                                      Entry.ls_Init(Next_Entry);
               decreasing |S|;
           do
               Pop( Next_Entry, S );
               Push( Next_Entry, S_Flipped );
           end:
           S :=: S_Flipped;
       end Flip;
                                                                           8
   end Obvious_F_C_Realiz;
```

An Example Profile

```
Profile SSCF short_for Stack_Space_Conscious_Flip for
        Flipping_Capability for Stack_Template with_profile SSC;
   Defines SSCF_{F_1}, SSCF_{F_2}: \mathbb{R}^{\geq 0};
   Defines SSCF_{FMC1}, SSCF_{FMC2}: \mathbb{N};
   Operation Flip( updates S: Stack );
       duration SSCF<sub>F1</sub> + Entry.I_Dur + Stack.I_Dur +
                   Entry.F_IV_Dur + Stack.F_IV_Dur +
                     (SSCF_{F2} + Entry.I_Dur + Entry.F_IV_Dur) \cdot |\#S|;
       manip_disp (SSCF<sub>FMC1</sub> + Entry.I_Disp + Stack.I_Disp) +
              Max( SSCF<sub>EMC2</sub>, Entry.IM_Disp, Entry.F_IVM_Disp );
end SSCF;
```

```
duration SSCF<sub>F1</sub> + Entry.I_Dur + Stack.I_Dur + Entry.F_IV_Dur +
                Stack.F_IV_Dur + (SSCF<sub>F2</sub> + Entry.I_Dur + Entry.F_IV_Dur)·|#S|;
Realization Obvious_F_C_Realiz for Flipping_Capability
    Definition SSCF_{F_1}: \mathbb{R}^{\geq 0} = (Dur_{Call}(1) + SSC_{DD} + Int.Dur_{\neq} + Dur_{(=)});
    Definition SSCF_{F2}: \mathbb{R}^{\geq 0} = (SSC_{DD} + Int.Dur_{\neq} + SSC_{Po1} + SSC_{Pu});
    Definition SSCF<sub>FMC1</sub>: \mathbb{N} = \cdots
    Procedure Flip( updates S: Stack );
         Var Next_Entry: Entry;
         Var S_Flipped: Stack;
         While Depth_of(S) \neq 0
              affecting S, S_Flipped, Next_Entry;
              maintaining #S = S_Flipped<sup>Rev</sup> • S and Entry.ls Init(Next_Entry);
              decreasing |S|;
              elapsed_time ( SSCF<sub>F2</sub> + Entry.I_Dur +
                                                          Entry. F IV Dur ) | S_Flipped|;
         do
              Pop( Next_Entry, S );
              Push( Next_Entry, S_Flipped );
         end:
         S :=: S_Flipped;
                                                                                     10
    end Flip;
```

```
Profile SSC short for Space_Conscious for Stack_Template;
    Defines SSC_{I1}, SSC_{I1}, SSC_{F}, SSC_{Po1}, SSC_{Pu}, SSC_{C}, SSC_{C1}, SSC_{Dp},
                                                                                  \mathsf{SSC}_{\mathsf{RC}}: \mathbb{R}^{\geq 0};
    Type Family Stack;
          Initialization
             duration SSC<sub>1</sub> + (SSC<sub>11</sub> + Entry.I_Dur)·Max_Depth;
    Operation Pop( replaces R: Entry; updates S: Stack );
          duration SSC<sub>Po1</sub> + Entry.I_Dur + Entry.F_Dur(#R);<sup>†</sup>
    Operation Push( alters E: Entry; updates S: Stack );
          ensures Entry.ls Init(E);<sup>‡</sup>
          duration SSC<sub>PII</sub>;
    Operation Depth_of( preserves S: Stack ): Integer;
          duration SSC<sub>DD</sub>;
end SSC;
```

[†]Note that this duration expression is split between the externally defined terms for the duration of an Entry initialization, Entry.**I_Dur**, and the finalization of the incoming value of R, Entry.**F_Dur**(#R) and the internally defined term SSC_{Po1}. [‡]Note that this extension of the functional specification for Push is essential for achieving tight performance specifications.

So, the **Profile** construct is a performance specification mechanism that supports:

- Abstracting away confusing details
- Retaining adequate precision (completeness)
- Scaling for arbitrarily large components
- Verifying correctness of compositions
- Extending functional specifications
- Describing commonalities

It (or something quite similar) should be included in any serious language for component specification and verification.

What Else is There?

- What happens with displacement (space).
- How component composition works.
 - Multiple profiles for a constituent.
- How large components can have simple profiles.
- How to formally verify profiles.
- When to supplement an object model.