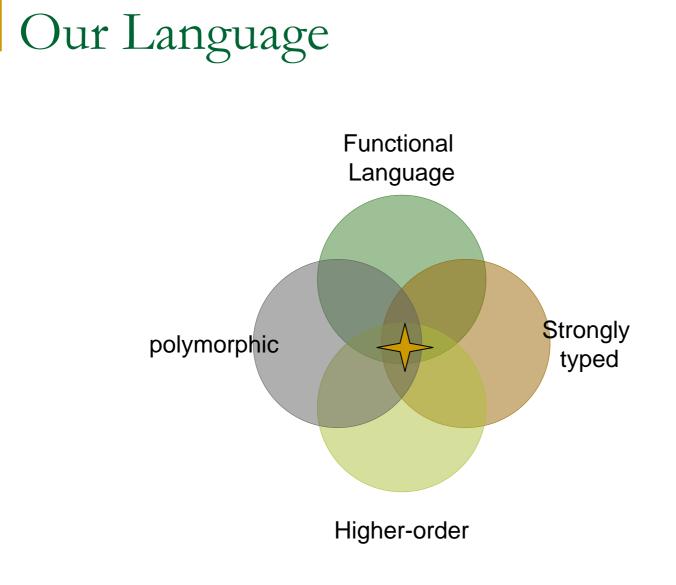
On the Pursuit of Static and Coherent Weaving

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AOP Languages

- AOP based on Object Oriented languages
 Java (AspectJ,Jboss,Aspectwerkz,etc)
 C++ (AspectC++)
- AOP based on Functional languages
 - OCaml (Aspectual Caml)
 - SML (AspectML)



Main Mechanisms of Aspects

- Introduction (injecting new members into existing classes)
- Advising (transforming computations by intercepting events).

Today's Topic

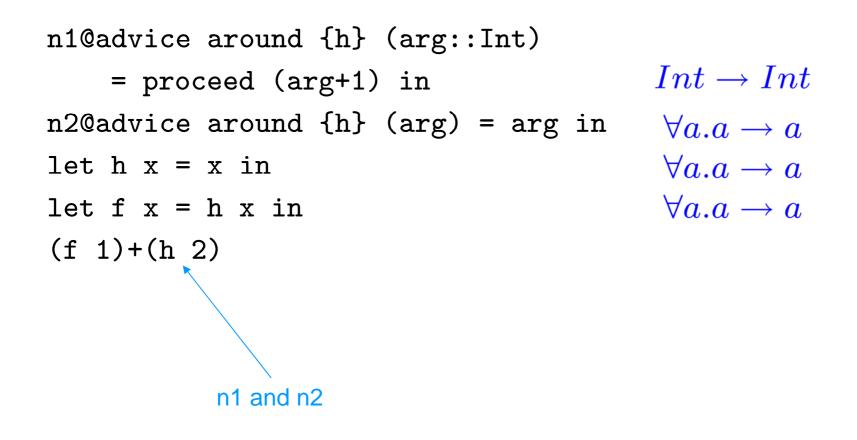
- Introduction (injecting new members into existing classes)
- Advising (transforming computations by intercepting events).
 - Execution pointcuts
 - Around advices

Weaving

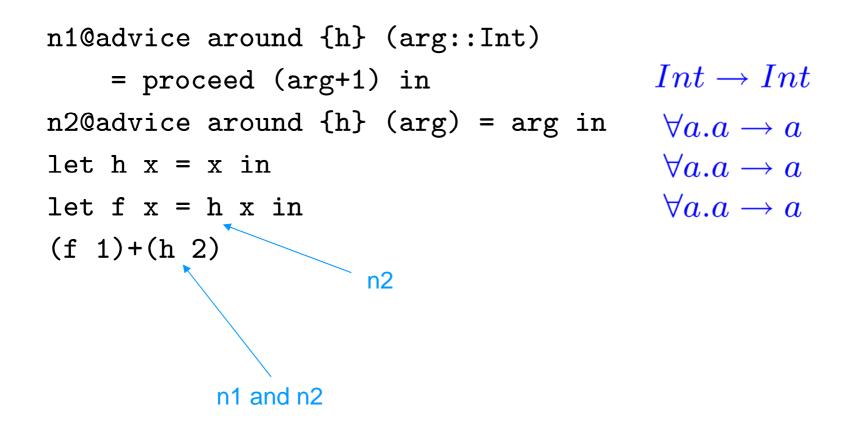
- Translating into a "less-aspect-oriented" intermediate language
 - Static making as many weaving decisions at compilation time as possible
 - Coherent giving the same set of advices to different invocations of a function with inputs of the same type

Weaving -- Challenges

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Weaving – Advised Types

• Advised type $f : \forall \overline{a}.(h : t_1).t_2$

The execution of any application of f may require advices of h applied with type which should be no more general than $\forall \overline{a}.t_1$.

Weaving – Advised Types

• Advised type $f : \forall \overline{a}.(h : t_1).t_2$

The execution of any application of f may require advices of h applied with type which should be no more general than $\forall \overline{a}.t_1$.

n1@advice around {h} (arg::Int)
= proceed (arg+1) in Int \rightarrow Int
n2@advice around {h} (arg) = arg in $\forall a.a \rightarrow a$ let h x = x in $\forall a.a \rightarrow a$ let f x = h x in $\forall a.(h:a \rightarrow a).a \rightarrow a$ (f 1)+(h 2)

Weaving – Advised Types

Type Directed Translation

$\Gamma \vdash_{\leadsto} e : \sigma \leadsto e'$

Weaving – Translation n1@advice around {h} (arg::Int) = proceed (arg+1) in $Int \rightarrow Int$ n2@advice around {h} (arg) = arg in $\forall a.a \rightarrow a$ let h x = x in $\forall a.a \rightarrow a$ $\forall a.(h:a \rightarrow a).a \rightarrow a$ let f x = h x in(f 1) + (h 2)let n1 = $\arg \rightarrow proceed (arg+1)$ in let $n2 = \langle arg - \rangle$ proceed arg in let h x = x inlet f dh x = dh x in $(f <h,{n1,n2} > 1) + (<h,{n1,n2} > 2)$

Intermediate Language

Expressions and values are extended

$$\begin{array}{lll} v & \vdots = & \dots \mid \langle v, \{\bar{v}\} \rangle \\ e & \vdots = & \dots \mid \langle e, \{\bar{e}\} \rangle \end{array}$$

The reduction rules

Contributions

Static and Coherent weaving of

- recursive function definitions
- advising other advices' bodies
- higher-order advices

Recursive Functions -- Challenges

let g x = x + 1 in n@advice around {f} (arg:[Int]) = Cons (g (head arg)) (proceed arg) in let f x = if (length x) > 0 then f (tail x) else x in f [1,2,3]

$$f: orall a.(f:[a]
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Recursive Functions -- Challenges

let g x = x + 1 in n@advice around {f} (arg:[Int]) = Cons (g (head arg)) (proceed arg) in let f df x = if (length x) > 0 then df (tail x) else x in f ? [1,2,3]

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Advising Advice Bodies -- Motivation

Aspects are not limited to observing base programs. Inside the bodies of advice definitions, there may be calls to other functions that are advised. We call these *nested* advices.

let discount item = (getRate item) * (getPrice item) in let calcPrice cart = sum (map discount cart) in calcPrice [1,2,3]

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n1@advice around {getRate} (arg) =
 (getHolidayRate arg) * (proceed arg)
n2@advice around {getRate} (arg) =
 (getAnniversaryRate arg) * (proceed arg)

let discount item = (getRate item) * (getPrice item) in
let calcPrice cart = sum (map discount cart) in
calcPrice [1,2,3]

n1@advice around {getRate} (arg) =
 (getHolidayRate arg) * (proceed arg)
n2@advice around {getRate} (arg) =
 (getAnniversaryRate arg) * (proceed arg)

n3@advice around {get\$Rate} (arg:Int) =
 if (arg > 0) then proceed arg else proceed 0

Wild card

let discount item = (getRate item) * (getPrice item) in let calcPrice cart = sum (map discount cart) in calcPrice [1,2,3]
n3,n1,n2

n1@advice around {getRate} (arg) = n3
 (getHolidayRate arg) * (proceed arg)
n2@advice around {getRate} (arg) =
 (getAnniversaryRate arg) * (proceed arg)

n3@advice around {get\$Rate} (arg:Int) = if (arg > 0) then proceed arg else proceed 0

Nested Advices – Challenges

- Advice chainings only appear in the woven program which is not a subject for further weaving.
- The typing context where an advice n is chained may not be sufficiently specific for another advice to be chained to calls inside n's body.

Higher-Order Advices -- Example

let discount item = (getRate item) * (getPrice item) in let calcPrice cart = sum (map discount cart) in calcPrice [1,2,3]

n1@advice around {getRate} (arg) =
 (getHolidayRate arg) * (proceed arg)
n2@advice around {getRate} (arg) =
 (getAnniversaryRate arg) * (proceed arg)
n4@advice around {n1,n2} (arg) =
 let finalRate = proceed arg
 in if (finalRate < 0.5) then 0.5
 else finalRate</pre>

Nested Advices -- Translation

let discount item = (getRate item) * (getPrice item) in let calcPrice cart = sum (map discount cart) in calcPrice [1,2,3]

n1@advice around {getRate} (arg) =
 (getHolidayRate arg) * (proceed arg)

. . .

n3@advice around {get\$Rate} (arg:Int) = if (arg > 0) then proceed arg else proceed 0 $n1: \forall a.(getHolidayRate : a \rightarrow Real).a \rightarrow Real$ $discount: \forall a.(getRate : a \rightarrow Real).a \rightarrow Real$

Nested Advices -- Translation

let discount item = (getRate item) * (getPrice item) in let calcPrice cart = sum (map discount cart) in calcPrice [1,2,3]

n1@advice around {getRate} (arg) =
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 $\begin{array}{cccc} (\mathsf{Var-A}) & x : \sigma_x \in \mathsf{\Gamma} & \bar{\sigma} \nleq \sigma_x & \mathsf{\Gamma} \vdash_{\leadsto} n_i : \llbracket \sigma_x \rrbracket \rightsquigarrow e_i \\ & \bar{n} : \overline{\sigma} \bowtie x \in \mathsf{\Gamma} & \dots \\ & \mathsf{\Gamma} \vdash_{\leadsto} x : \sigma_x \rightsquigarrow \langle x , \{e_i\} \rangle \end{array}$

Nested Advices -- Translation

n3@advice around {get*Rate} (arg:Int) =

if (arg > 0) then proceed arg else proceed 0 in
n1@advice around {getRate} (arg) =

(getHolidayRate arg) * (proceed arg) in let discount item = (getRate item) * (getPrice item) in let calcPrice cart = sum (map discount cart) in

calcPrice [1,2,3]



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let n3 arg = if (arg > 0)
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then proceed arg else proceed 0
let n1 dh arg = (dh arg) * (proceed arg) in
let calcPrice dc cart = sum (map dc cart) in
let discount dr item = (dr item) * (getPrice item) in
calcPrice (discount <getRate,{n3,n1 <getHolidayRate,{n3}>}>)
[1,2,3]

Higher-Order Advices -- Translation

let discount item = (getRate item) * (getPrice item) in
let calcPrice cart = sum (map discount cart) in
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Higher-Order Advices -- Translation

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calcPrice [1,2,3]

Correctness of translation

Theorem 1 (Conservative Extension) Given a program P consisting of a set of advices and a closed base program e. If

$$\vdash P : \sigma \rightsquigarrow P',$$

then

$$\vdash e : \llbracket \sigma \rrbracket.$$

Correctness of translation

Theorem 2 (Type Preservation) Given a program *P* consisting of a set of advices and a closed base program. If

 $\vdash P : \sigma \rightsquigarrow P',$

then

$$\vdash_i P' : \eta(\sigma).$$

$$\eta(\forall \overline{a}.\rho) = \forall \overline{a}.\eta(\rho)$$

$$\eta((x:t).\rho) = t \to \eta(\rho)$$

$$\eta(t) = t$$

Related Works

- PolyAML(ICFP 05) by Dantas, Walker, Washburn and Weirich
 - Polymorphic higher-order language
 - First-class pointcuts
 - Dynamic type checking and label matching
 - Only before and after advices (extension for around on progress)
- Aspectual Caml (ICFP 05) by Masuhara, Tatsuzawa and Yonezawa.
 - Higher-order and currying
 - Static introduction
 - Weaver traverses type annotated expressions to insert advice calls. (syntactical)
- Type-directed weaving (PEPM 06) by Wang, Chen and Khoo
 - Polymorphic higher-order language with type scoped around advices
 - Static and coherent weaving
 - No recursive functions, nested advices and higher-order advices

Conclusion

- Static and coherent weaving of aspectoriented functional programs with recursive functions, nested advices and higher-order advices
- Future work:
 - Control-related Cflow pointcuts
 - Separate compilation