



CAP 4453 Robot Vision

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Administrative details

- Homework due Friday 11:59pm via webcourses
- Point 5 refers to filter center in second row





Robot Vision

6. Edge detection II



Credits

- Some slides comes directly from:
 - Yogesh S Rawat (UCF)
 - Noah Snavely (Cornell)
 - Ioannis (Yannis) Gkioulekas (CMU)
 - Mubarak Shah (UCF)
 - S. Seitz
 - James Tompkin
 - Ulas Bagci
 - L. Lazebnik





Short Review from last class



Edge detectors

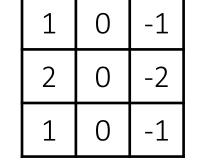
- Gradient operators
 - Prewit
 - Sobel
- Marr-Hildreth (Laplacian of Gaussian)
- Canny (Gradient of Gaussian)



Gradient operators edge detector algorithm

- 1. Compute derivatives
 - In x and y directions
 - Use Sobel or Prewitt filters
- 2. Find gradient magnitude
- 3. Threshold gradient magnitude

Sobel



1	2	1
0	0	0
-1	-2	-1

Prewitt

1	0	-1	
1	0	-1	
1	0	-1	

1	1	1
0	0	0
-1	-1	-1

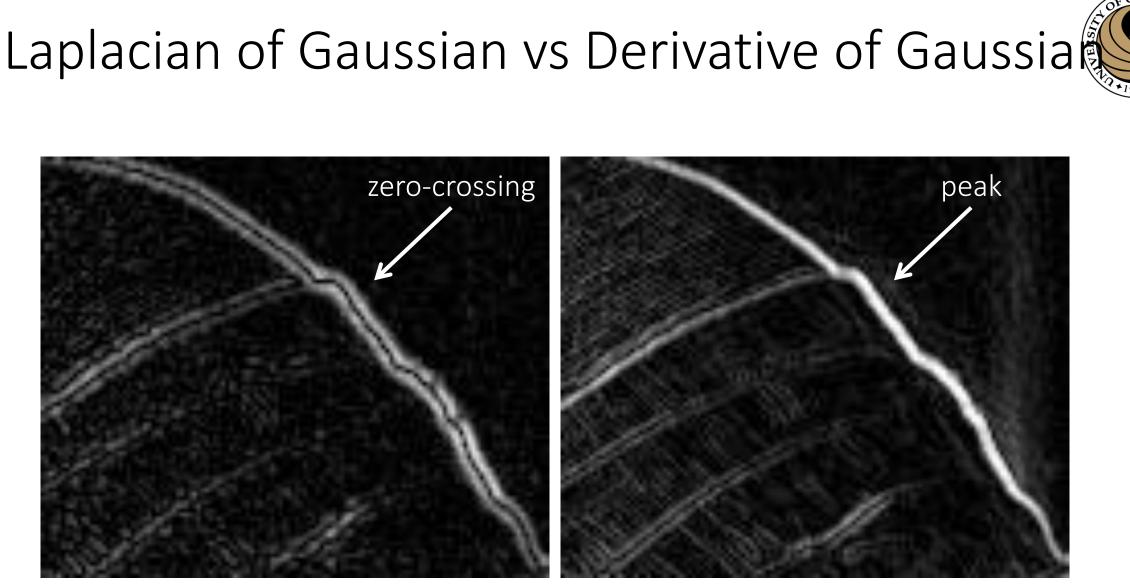


Marr-Hildreth edge detector algorithm

- 1. Smooth image by Gaussian filtering
- 2. Apply Laplacian to smoothed image
 - Used in mechanics, electromagnetics, wave theory, quantum mechanics

3. Find Zero crossings

- Scan along each row, record an edge point at the location of zero-crossing.
- Repeat above step along each column



Laplacian of Gaussian filtering

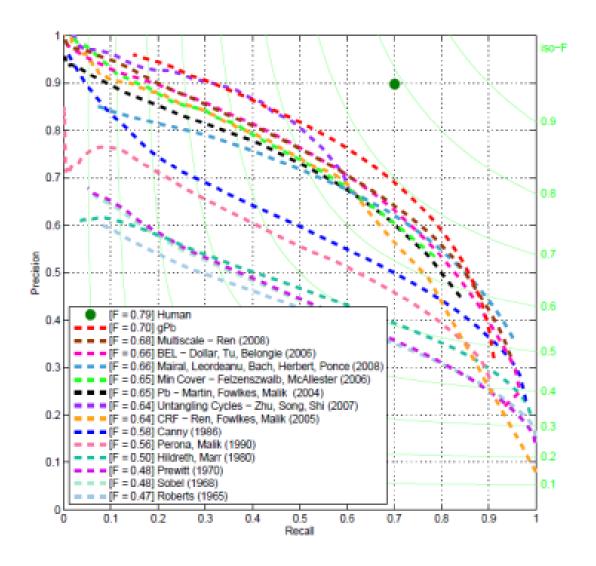
Derivative of Gaussian filtering

Zero crossings are more accurate at localizing edges (but not very convenient).



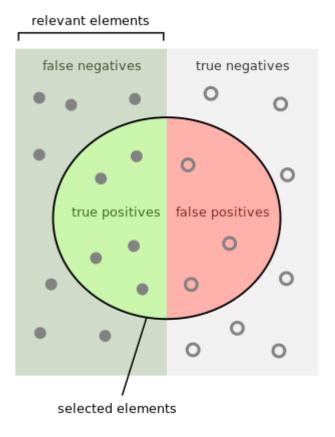
45 years of boundary detection

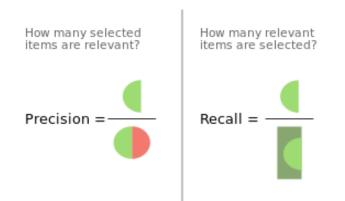
[Pre deep learning]





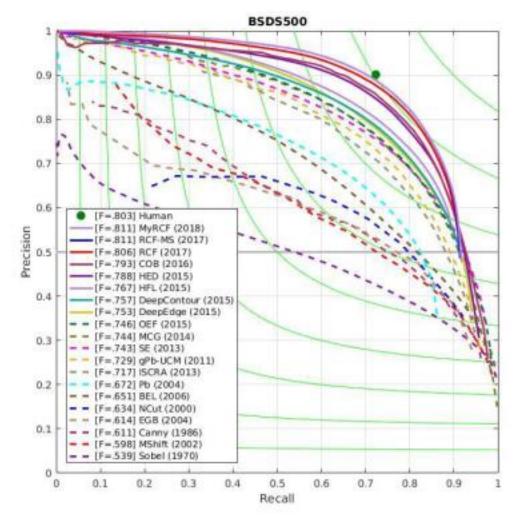
Precision Recall







Edge Detection with Deep Learning





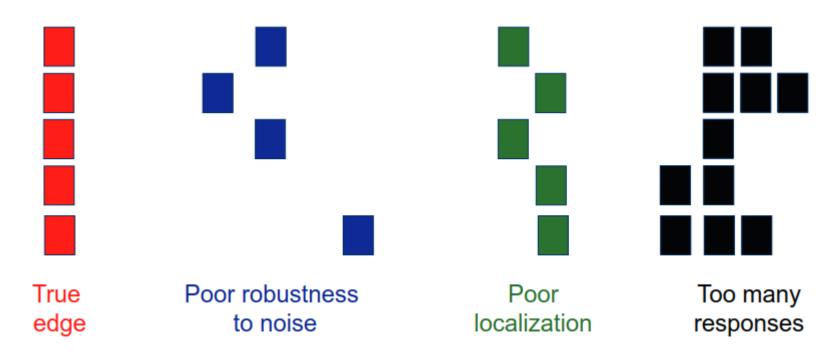


Canny edge detector



Design Criteria for Edge Detection

- Good detection: find all real edges, ignoring noise or other artifacts
- Good localization
 - as close as possible to the true edges
 - one point only for each true edge point





- 1. Smooth image with Gaussian filter
- 2. Compute derivative of filtered image
- 3. Find magnitude and orientation of gradient
- 4. Apply "Non-maximum Suppression"
- 5. Apply "Hysteresis Threshold"



1. Smooth image with Gaussian filter

$$S = I * g(x, y) = g(x, y) * I$$

$$g(x,y) = \frac{1}{\sqrt{2\pi\sigma}} e^{-\frac{x^2 + y^2}{2\sigma^2}}$$

2. Compute derivative of filtered '

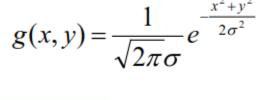
$$\nabla S = \nabla (g * I) = (\nabla g) * I$$
$$\nabla S = \begin{bmatrix} g_x \\ g_y \end{bmatrix} * I = \begin{bmatrix} g_x * I \\ g_y * I \end{bmatrix}$$

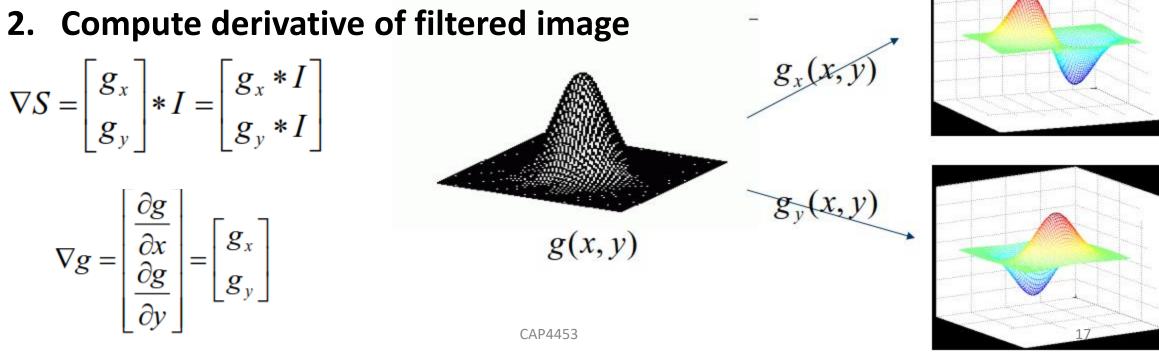
 $\nabla g = \begin{vmatrix} \frac{\partial g}{\partial x} \\ \frac{\partial g}{\partial y} \end{vmatrix} = \begin{bmatrix} g_x \\ g_y \end{bmatrix}$



1. Smooth image with Gaussian filter

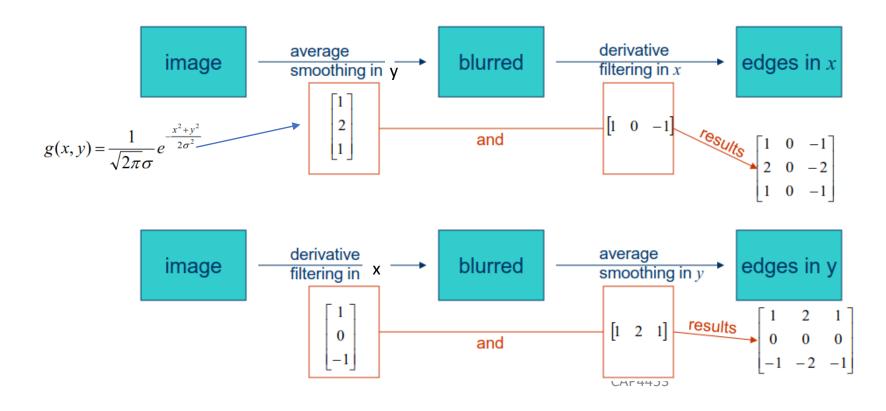
S = I * g(x, y) = g(x, y) * I







- 1. Smooth image with Gaussian filter
- 2. Compute derivative of filtered image

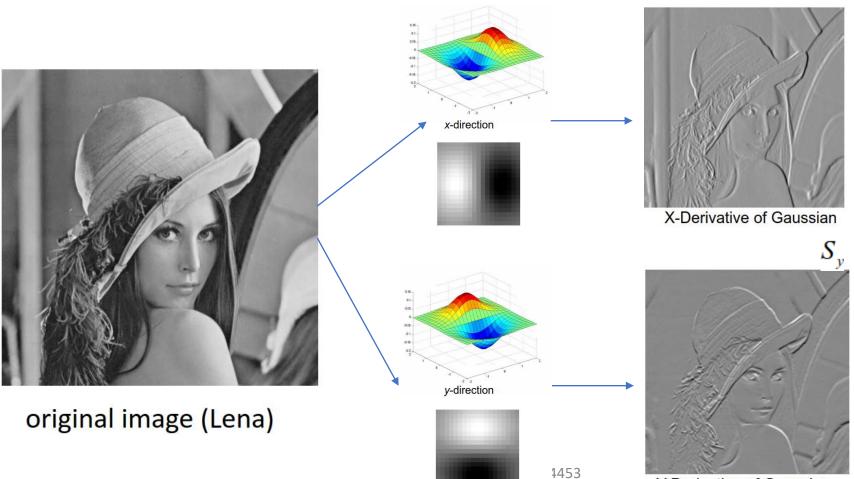




- 1. Smooth image with Gaussian filter
- 2. Compute derivative of filtered image
- 3. Find magnitude and orientation of gradient
- 4. Apply "Non-maximum Suppression"
- 5. Apply "Hysteresis Threshold"



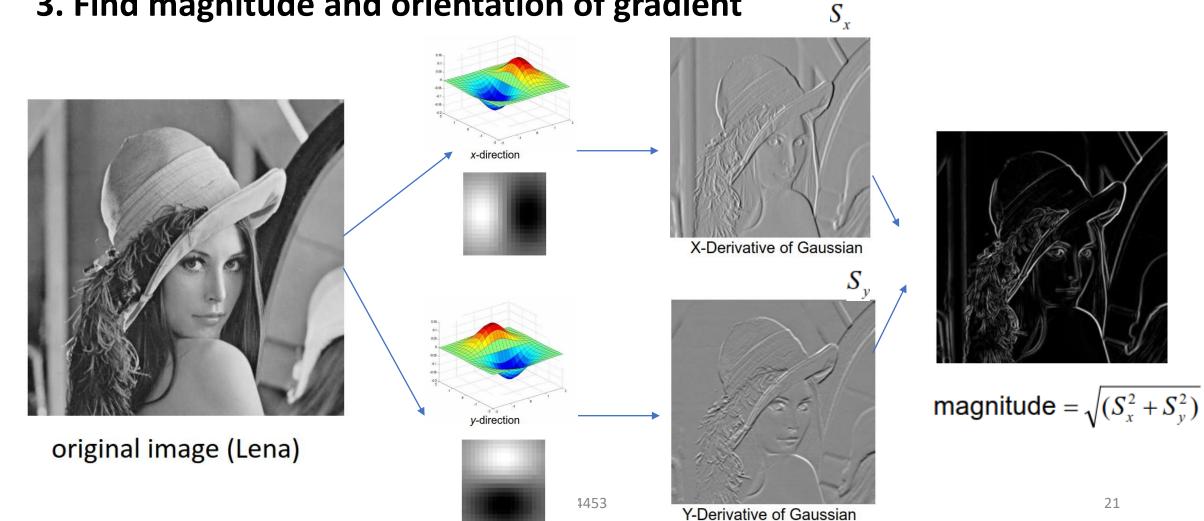
3. Find magnitude and orientation of gradient



 S_{x}

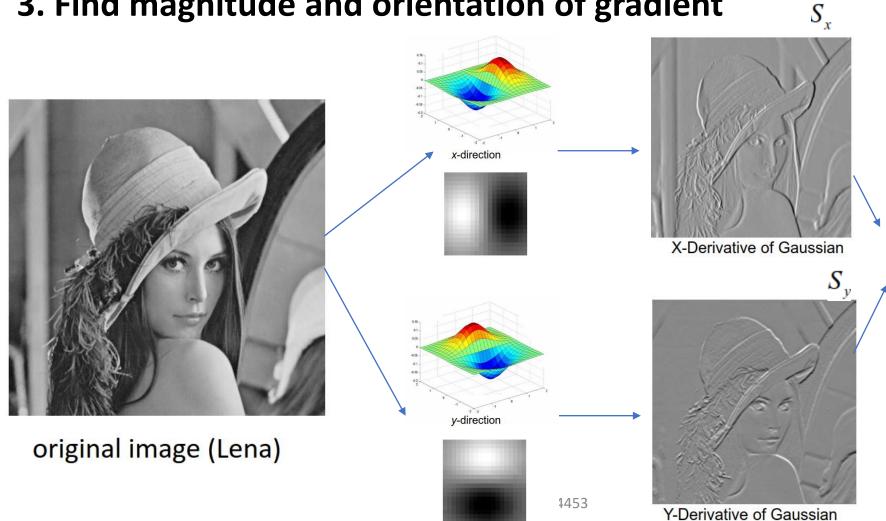


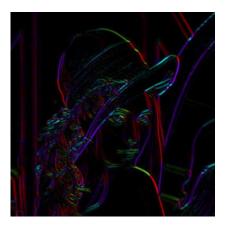
3. Find magnitude and orientation of gradient





3. Find magnitude and orientation of gradient





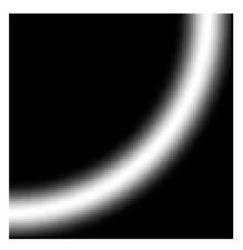
Theta = $\operatorname{atan2}(S_{\gamma}, S_{\chi})$



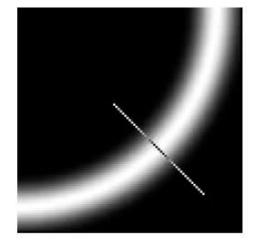
- 1. Smooth image with Gaussian filter
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- 4. Apply "Non-maximum Suppression"
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4. Apply "Non-maximum Suppression"



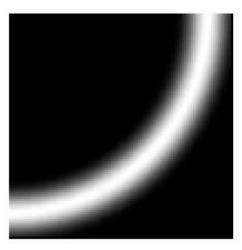
Goal: keep pixels along the curve where magnitude is largest



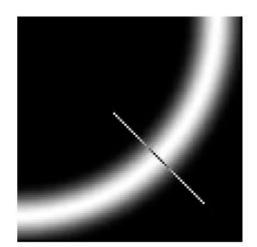
How to: looking for a maximum along a slice normal to the curve



4. Apply "Non-maximum Suppression"



Goal: keep pixels along the curve where magnitude is largest

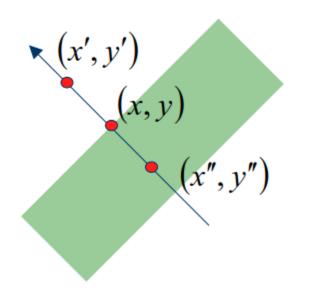


That is the direction of the gradient !

How to: looking for a maximum along a slice <u>normal to the curve</u>



- 4. Apply "Non-maximum Suppression"
 - Suppress the pixels in |∇S| which are not local maximum

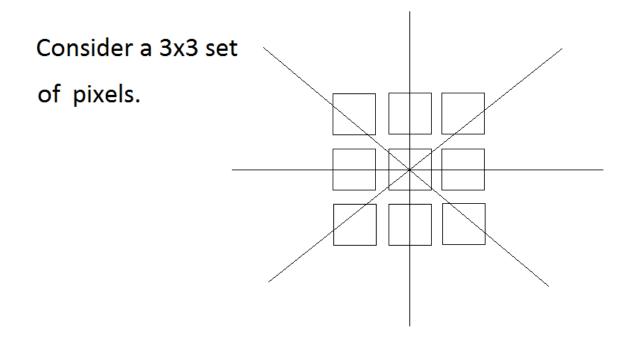


$$M(x,y) = \begin{cases} |\nabla S|(x,y) & \text{if } |\nabla S|(x,y) > |\Delta S|(x',y') \\ & \& |\Delta S|(x,y) > |\Delta S|(x'',y'') \\ 0 & \text{otherwise} \end{cases}$$

x' and x" are the neighbors of x along normal direction to an edge



4. Apply "Non-maximum Suppression"



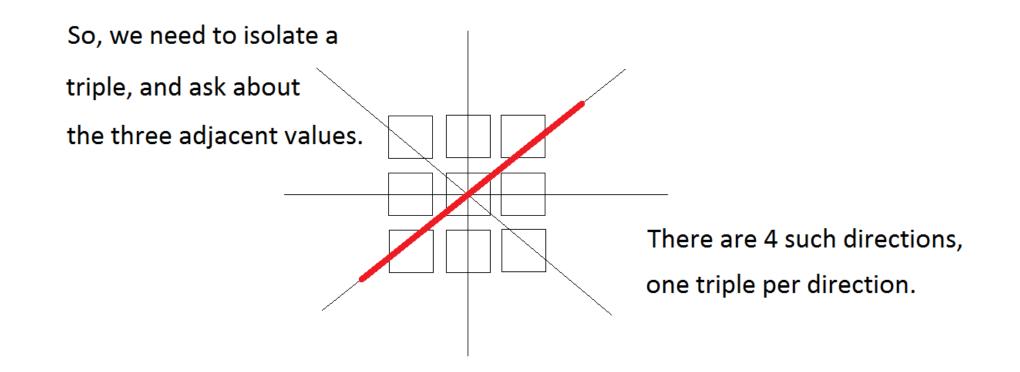
We need to examine triples

along the directions shown

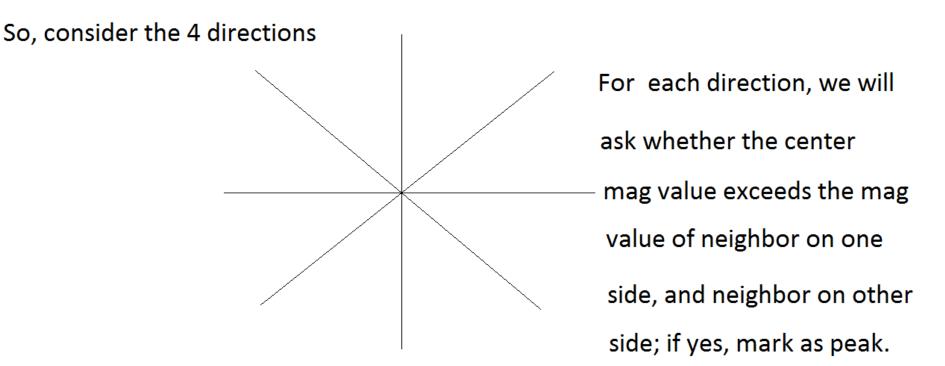
to see if the center pixel is a

peak (in magnitude) compared to its two neighbors.

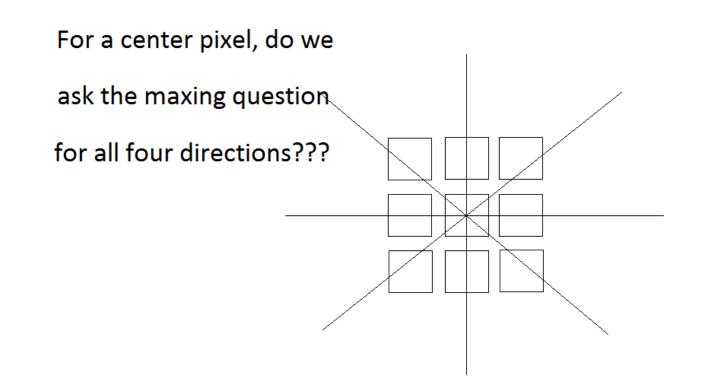






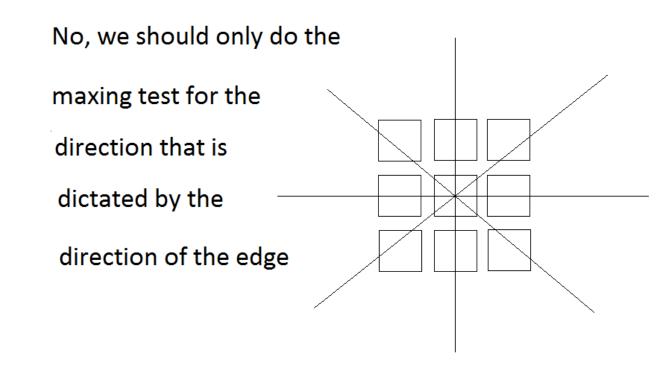








4. Apply "Non-maximum Suppression"



We always want to

max-test in the direction

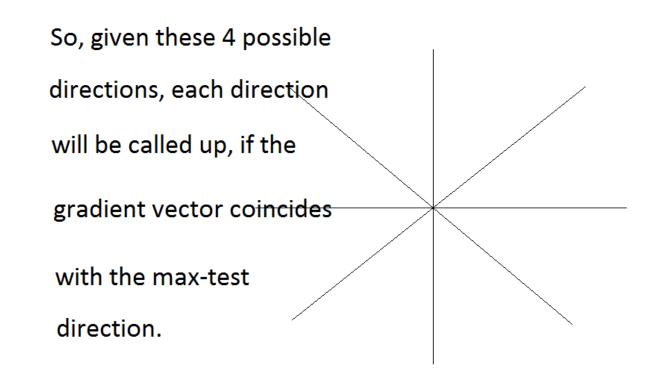
perpendicular to the

edge, i.e., across the edge.

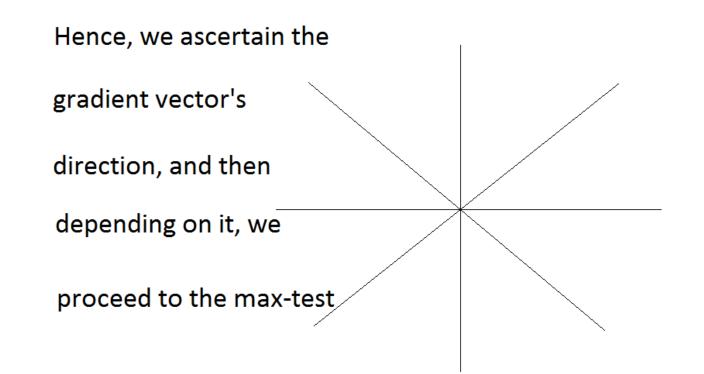
This means in the direction

of the gradient vector.

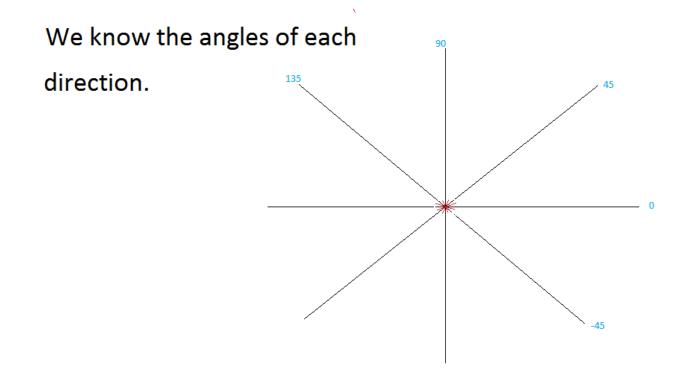




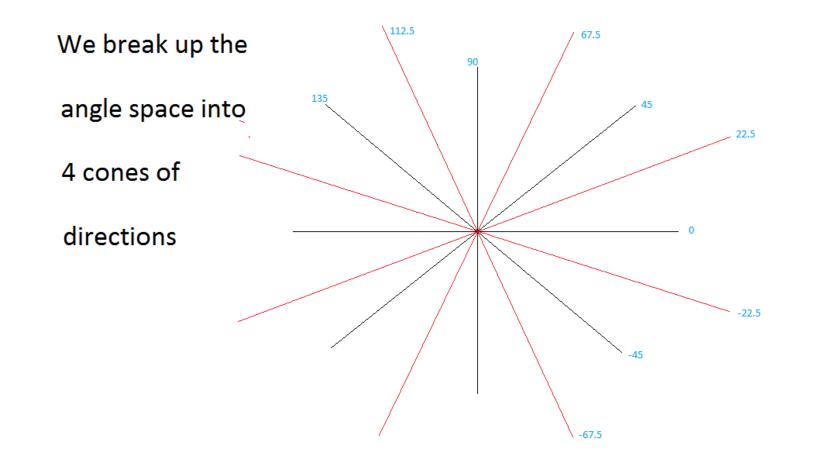




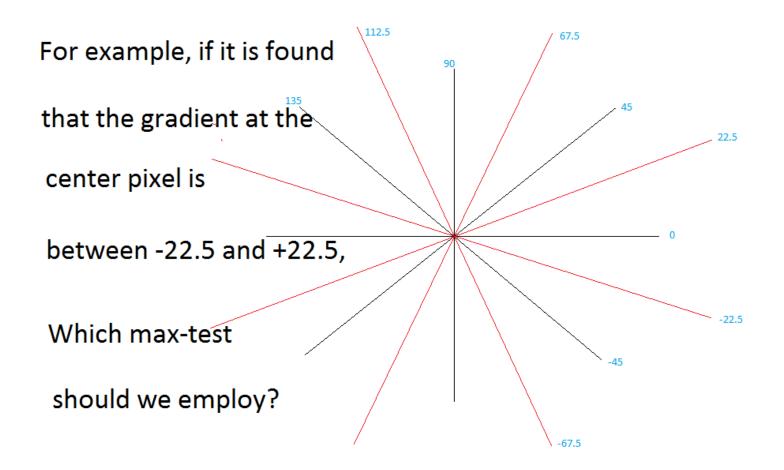














4. Apply "Non-maximum Suppression"

For each pixel (i.e., double-for loop) Get pixel's gradient direction , Dir

If - 22.5 < Dir <=22.5

Employ Horizontal Max-Test

else if +22.5 < Dir <=+67.5

And, remove Vertical cone test, use "otherwise"

So, put = sign in

Employ Test involving SW and NE pixels else if -67.5 < Dir <-22.5

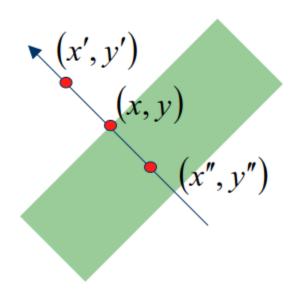
Employ Test involving SE and NW pixels

else Employ Vertical test

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- 4. Apply "Non-maximum Suppression"
 - Suppress the pixels in |∇S| which are not local maximum

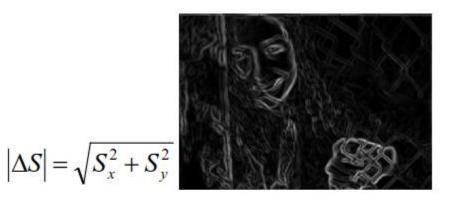


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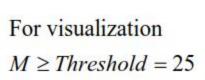
x' and x" are the neighbors of x along normal direction to an edge



4. Apply "Non-maximum Suppression"











- 1. Smooth image with Gaussian filter
- 2. Compute derivative of filtered image
- 3. Find magnitude and orientation of gradient
- 4. Apply "Non-maximum Suppression"
- 5. Apply "Hysteresis Threshold"



- 5. Apply "Hysteresis Threshold"
 - If the gradient at a pixel is
 - above "High", declare it as an 'edge pixel'
 - below "Low", declare it as a "non-edge-pixel"
 - between "low" and "high"
 - Consider its neighbors iteratively then declare it an "edge pixel" if it is connected to an 'edge pixel' directly or via pixels between "low" and "high".

5. Apply "Hysteresis Threshold"

- If the gradient at a pixel is
 - above "High", declare it as an 'edge pixel'
 - below "Low", declare it as a "non-edge-pixel"
 - between "low" and "high"
 - Consider its neighbors iteratively then declare it an "edge pixel" if it is connected to an 'edge pixel' directly or via pixels between "low" and "high".

Connectedness



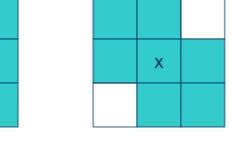
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Х

8 connected

Х

6 connected





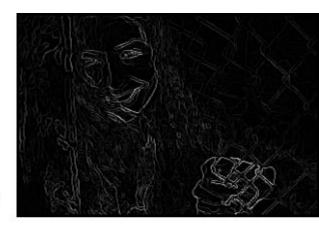


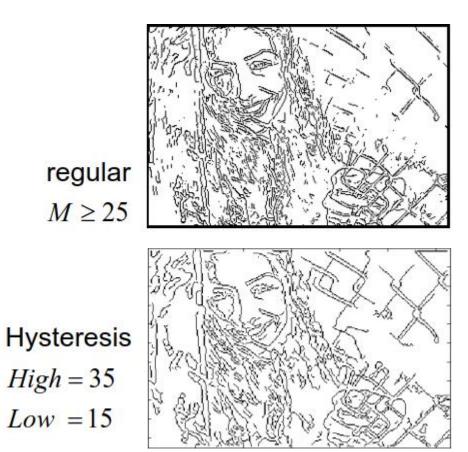
- 5. Apply "Hysteresis Threshold"
 - Scan the image from left to right, top-bottom.
 - The gradient magnitude at a pixel is above a high threshold declare that as an edge point
 - Then recursively consider the *neighbors* of this pixel.
 - If the gradient magnitude is above the low threshold declare that as an edge pixel.



5. Apply "Hysteresis Threshold"

M









Before non-max suppression



After non-max suppression







Final Canny Edge

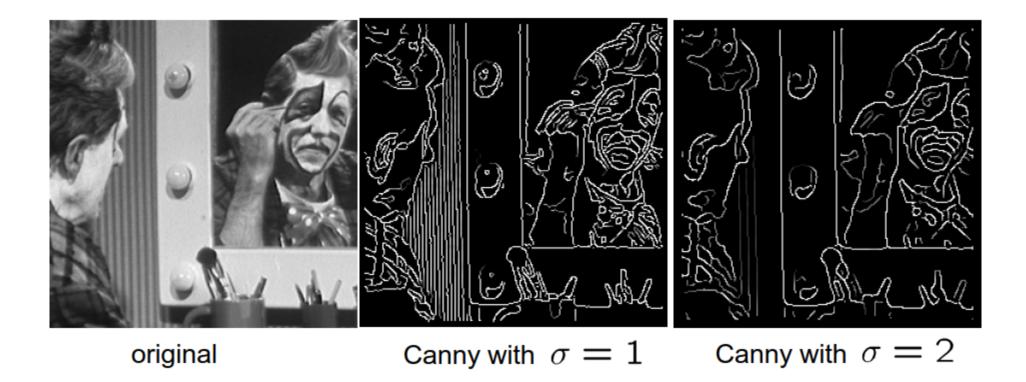
Threshold at low/high levels to get weak/strong edge pixelsDo connected components, starting from strong edge pixels





Effect of σ (Gaussian kernel spread/size)





The choice of σ depends on desired behavior

- large σ detects large scale edges
- small σ detects fine features



Questions?