

5/11 there are at least 3/5 of the balls on the right.

$(2k + 1)/(5k + 1)$ , where  $k = 2$  in this example

End probability is  $(4k + 2)/(5k + 1)$ , we want the minimum integer  $k$  such that this is  $< 321/400$ .

HHHHxxxx = 16 sequences these all work. (start 4h)

HHHTHHxx = 4 sequence that work. (start 3h)

HHHTTHHH = 1 sequence that works.

HHHTHTHH = 1 sequence that works

## HHT (oops looks like lots of casework)

## New idea...

If we have 2Ts, 1 T or 0Ts → automatically going work

$$C(8, 0) + C(8, 1) + C(8, 2) + 1 + 4 + 4 = 1 + 8 + 28 + 9 = 46$$

Count sequences with 3 Ts or 4 Ts that work

4tails HHHHTTTT (1 sequence)

HHHH(TTH) → 4 sequences

HHHTHHTT → 4 sequences

HTHTHTHT

HTHHHHHTT

THHHHHHTT total of 46/256 = 23/128

Picture from rotation question on 2016A (Q 14):

