

HW1.

Monday, September 14, 2015 12:02 PM

1. a) hit: 1 miss: 0
result (B, G)

$$\{(0,0), (0,1), (1,0), (1,1)\} \leftarrow S$$

↑ GE

$$p(0,0) = 0.7 \times 0.4 = 0.28$$

event E: {both shoot and exactly one shot hits}.

$$\{(0,1), (1,0)\}$$

b)

	B	G
(10		01)

event E: {both shoot twice and target is hit twice}

G hit ≥ 1

16 possible sample points in two times shooting

$$= \left\{ \begin{array}{l} \underline{(0011)}, \underline{(0101)}, \underline{(1001)} \\ \underline{(1100)}, \underline{(1010)}, \underline{(0110)} \end{array} \right\}$$

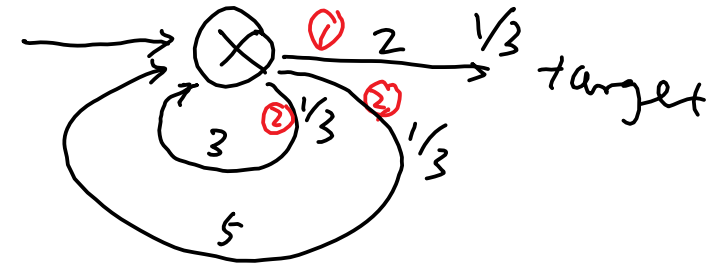
$$E[Y] = E_N [E[Y|N=n]]$$

$$= E_N [nE[X]]$$

$$= E[X] \cdot E_N [n] = E[X] \cdot E[N]$$

$$E[Y|N=n] = E[X_1 + X_2 + \dots + X_n]$$

$$= nE[X]$$



① Model: r.v. F { path where the first hop is 1 or 2 or 3 }

r.v. T : { total time spent to reach target }

$E[T]$?

② Analysis: $E[T|F=1] = 2$, $E[T|F=2] = 3 + E[T]$

$E[T|F=3] = 5 + E[T]$

$$E[T] = E[T|F=1] \cdot P(F=1) + E[T|F=2] \cdot P(F=2) + E[T|F=3] \cdot P(F=3)$$

$$= \frac{1}{3} (2 + 3 + E[T] + 5 + E[T])$$

$$E[T] = 2 + 3 + 5 = 10 \text{ sec}$$