



Modeling virtual urban environments

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The goals

- Modeling complex environments
- Using real data
 - Height maps
 - Water maps
- Modeling the evolution of the environment
- Simulating emergent phenomena
- Visualizing the generated environments

Previous work

- Natural environments
- Street networks
- Urban growth and suburban sprawl
- Buildings

Natural environments

L-systems, a quick overview

- Parallel string rewriting systems
 - Parallel application of rules
 - An application represents a lapse of time
- Rules of type
 - predecessor: condition \rightarrow successor

L-systems

parallel application

Modules: A B

Axiom ω : B

productions :

$A \rightarrow AB$

$B \rightarrow A$

produces:

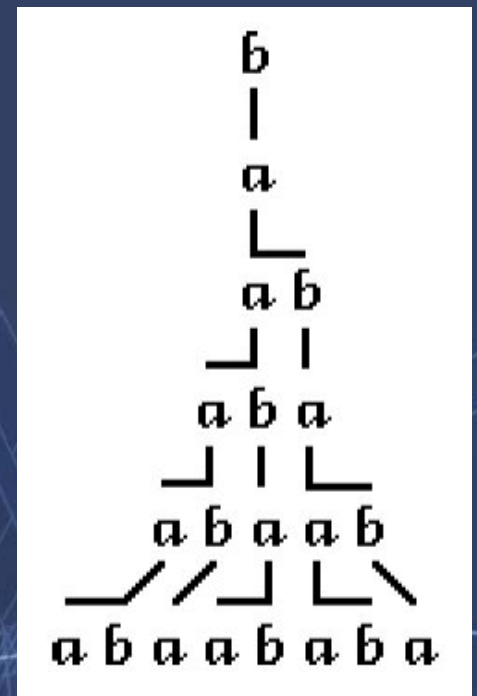
n=0 $B \rightarrow A$

n=1 $A \rightarrow AB$

n=2 $AB \rightarrow ABA$

n=3 $ABA \rightarrow ABAAB$

n=4 $ABAAB \rightarrow ABAABABA$



L-systems

Turtle Interpretation

State of the turtle: (x, y, α)

(x, y) : *Cartesian position* of the turtle

α : *heading* of the turtle, i.e. the direction in which it is heading

Also

d : *step size*

δ : *angle increment*

Commands:

F move forward a step of length d drawing a line segment.

f the same without drawing.

$+$ turn left by angle δ .

$-$ turn right.

L-systems

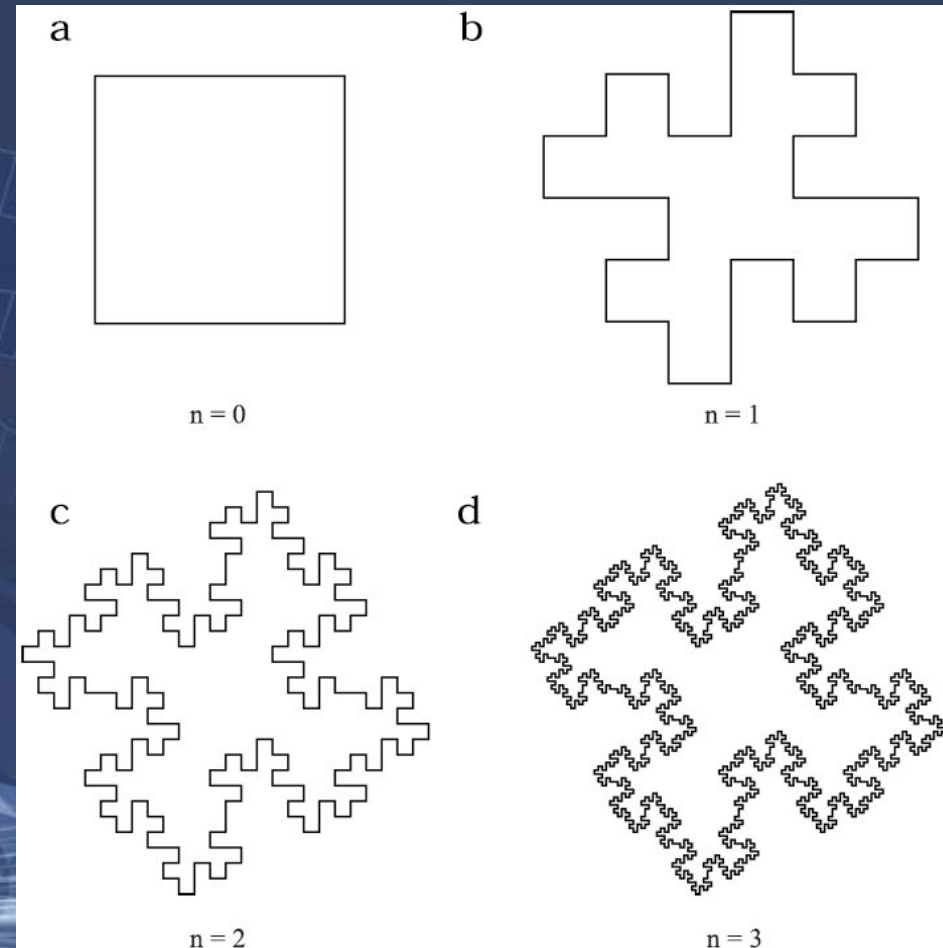
Koch island

ω F-F-F-F

p

$F \rightarrow F-F+F+FF-F-F+F$

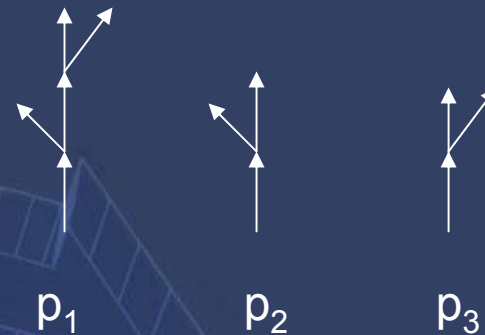
- $\delta=90^\circ$
- d is decreased 4 times between each derivation step



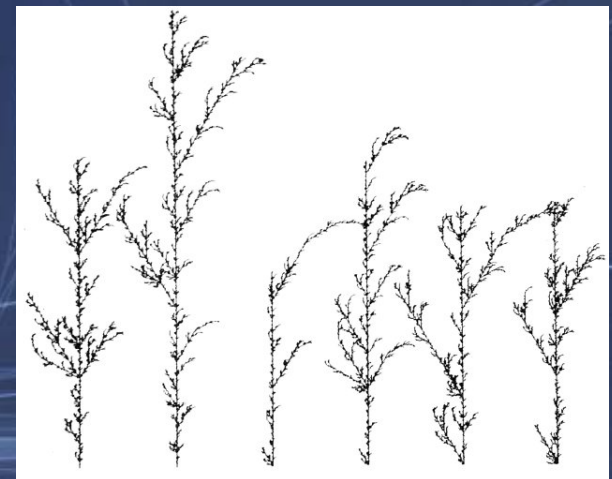
L-systems

Branching structures

ω F
 p_1 F: .33 \rightarrow F[+F]F[-F]F
 p_2 F: .33 \rightarrow F[+F]F
 p_3 F: .34 \rightarrow F[-F]F



- [and] create a branching structure
- Probabilities of application are
Added at the end of the rules
- A single L-system creates a
variety of plants



L-systems

generation of trees

ω $FA(1)$

p_1 $A(k) : \min\{1, (2k + 1)/k^2\}$

\rightarrow $/(\varphi) [+(\alpha) FA(k+1)] -(\beta) FA(k + 1)$

p_2 $A(k) : \max\{0, 1 - (2k + 1)/k^2\}$

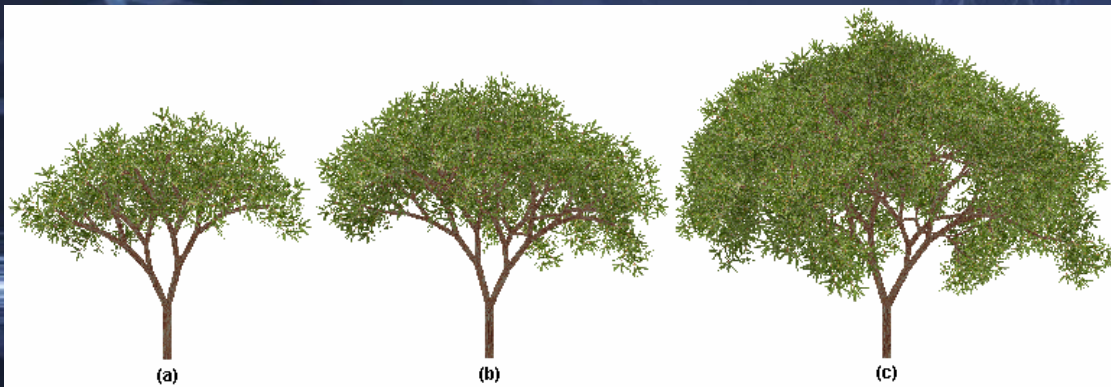
\rightarrow $/(\varphi) -(\beta) FA(k + 1)$

Modules $+$, $-$ denotes rotation around the z-axis (up)

Module $/$ denotes rotation around the y-axis

The angles for the rotations are specified for a given class of trees

$(\alpha = 32^\circ, \beta = 20^\circ, \varphi = 90^\circ)$.



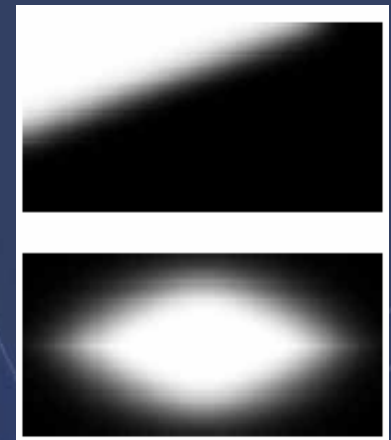
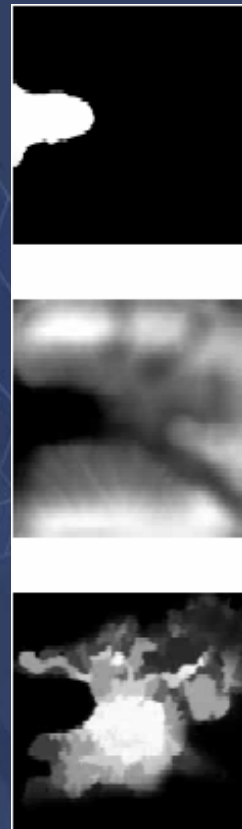
L-systems applications

- Biological models
 - Cells
 - Plants
 - Trees
- More recently
 - Street networks
 - buildings



Street network using L-systems

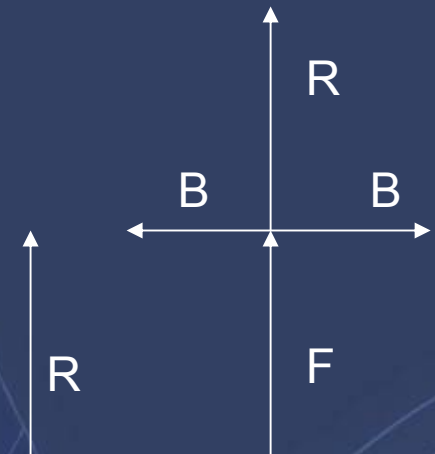
- Data
 - Maps
 - Water
 - Elevation
 - Population
 - Street pattern control
- A set of rules
- Some constraints



Street network using L-systems

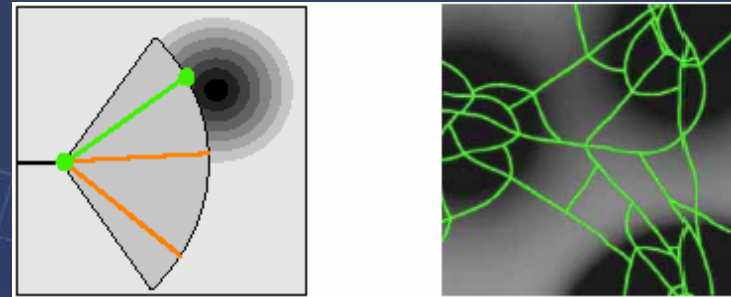
the rules

```
 $\omega$ : R(0, initialRuleAttr) ?I(initRoadAttr, UNASSIGNED)
p1: R(del, ruleAttr) : del<0  $\rightarrow \epsilon$ 
p2: R(del, ruleAttr) > ?I(roadAttr, state) : state==SUCCEED
    {globalGoals(ruleAttr, roadAttr) creates the parameters
     for: pDel[0-2], pRuleAttr[0-2], pRoadAttr[0-2]}
     $\rightarrow$  +(roadAttr.angle)F(roadAttr.length)
        B(pDel[1], pRuleAttr[1], pRoadAttr[1]),
        B(pDel[2], pRuleAttr[2], pRoadAttr[2]),
        R(pDel[0], pRuleAttr[0]) ?I(pRoadAttr[0], UNASSIGNED)
p3: R(del, ruleAttr) > ?I(roadAttr, state) : state==FAILED  $\rightarrow \epsilon$ 
p4: B(del, ruleAttr, roadAttr) : del>0  $\rightarrow$  B(del-1, ruleAttr, roadAttr)
p5: B(del, ruleAttr, roadAttr) : del==0
     $\rightarrow$  [R(del, ruleAttr)?I(roadAttr, UNASSIGNED)]
p6: B(del, ruleAttr, roadAttr) : del<0  $\rightarrow \epsilon$ 
p7: R(del, ruleAttr) < ?I(roadAttr, state) : del<0  $\rightarrow \epsilon$ 
p8: ?I(roadAttr, state) : state==UNASSIGNED
    {localConstraints(roadAttr) adjusts the parameters for:
     state, roadAttr}
     $\rightarrow$  ?I(roadAttr, state)
p9: ?I(roadAttr, state) : state!=UNASSIGNED  $\rightarrow \epsilon$ 
```

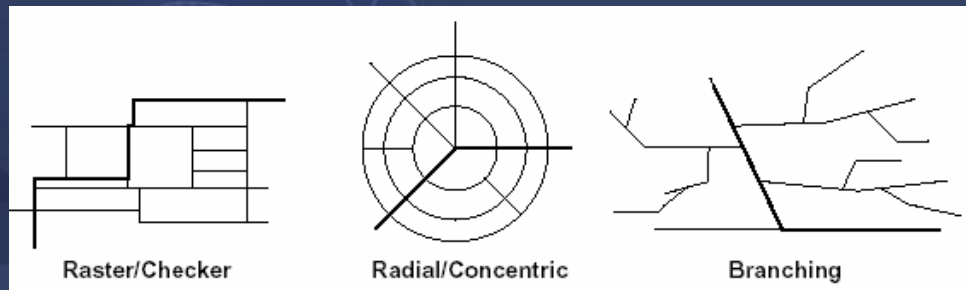


Street network using L-systems

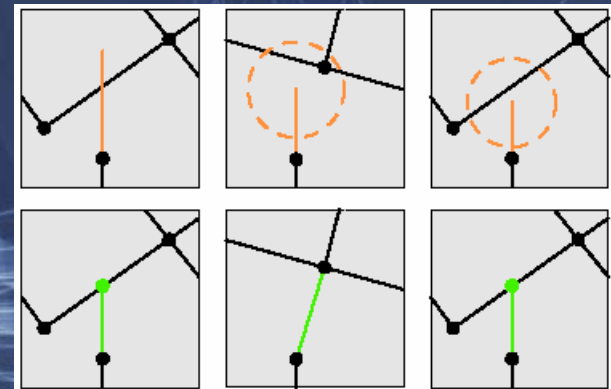
- Global constraints
 - Population density
 - For highways



- Road patterns
- For streets



- Local constraints



Street network using L-systems

Limitations

- Invalid intermediate states
 - No intermediate model
- We need the actual maps
 - Why not using it?



Street network using L-systems

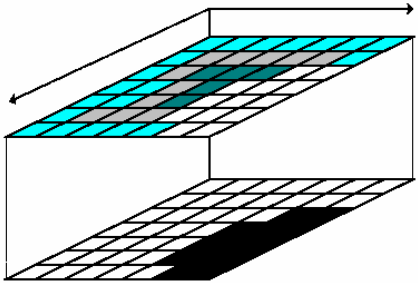
Conclusion

- To model the evolution of the L-system properly, we need a model of the evolution of the population density
- Otherwise, we can use real data
 - To model the evolution of a street network, we need at least two of its states and the corresponding population maps

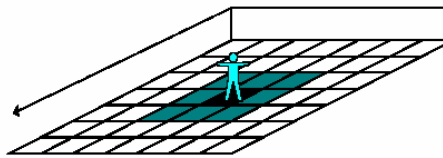
Urban growth and suburban sprawl

- Simulating the evolution of the population
- Using
 - Cellular automata
 - Multi-agent systems

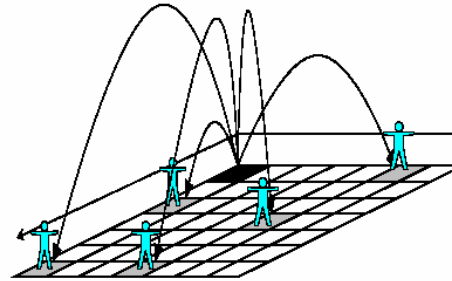
Urban growth and suburban sprawl: the rules



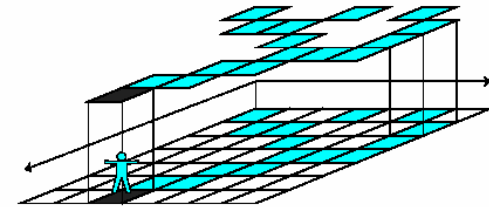
Rule 1: Developable sites: cells develop which meet pre-existing constraints on land development



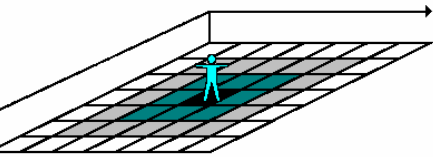
Rule 2: Compact growth: agents locate on cells as close to the basic seeds or growth poles as is possible



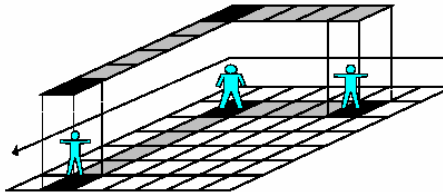
Rule 5: Scattered growth: agents develop cells by leapfrogging the growing cluster to optimize access



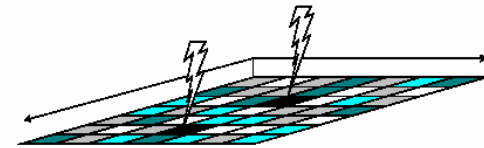
Rule 6: Bifurcated growth: agents develop new cells which connect and compete with the existing cells



Rule 3: 'Hub'-influenced growth: agents develop cells to maximize agglomeration economies



Rule 4: Road-influenced growth: linear routes attract agents, thus development



Rule 7: Decline: cells lose their attraction to growth as they age or lose their comparative advantage

Urban growth and suburban sprawl: the results



*Simulation up to time 1850
 $t=50$*



*Simulation up to time 1950
 $t=150$*



*Simulation up to time 2000
 $t=200$*

Urban growth and suburban sprawl: limitations

- Works on grids (cellular automata)
- Do not build the street network
- We can add rules to make it converge to real data

Goals

- Development of an environment in continuous time
- Unify the modeling of roads, buildings and plants
- Model interactions between objects

Assumptions

- Roads and buildings are built by agents
- The number of agents is a ratio of the population
 - there is at least an agents at the beginning
 - non-builders are useless
- A chicken and egg problem:
 - What comes first?
 - Better transportation or population growth?
 - We assume it is the transportation

the street network

- Rules of street network evolution
 - Using the terrain
 - Using the population
 - Centrifugal
 - Centripetal
 - Space-filling/closure
- The map of the population
 - updated by the construction of buildings
 - Determines the density of the street network

the buildings

- Buildings are spread along the roads
- They trigger the evolution of the population
- They can be replaced if the density of population needs it
- Buildings construction is simulated using L-systems

the agents

- Availability
 - The number of available agents evolves with the population
- Scheduling
 - We have to choose the roads and buildings that will be built first
 - This is done by attributing them an importance
 - The importance of a road construction is determined by
 - The importance of a buildings is defined by
- Communications
 - We may have to decide whether to destroy a building to build a road or not

Modeling buildings using grammars

- Describing rules of architecture as grammar rules is an old idea
 - Vitruvius, Palladio, Durand
- This idea was proved usable using shape grammars
 - But shape grammars are automatically applied
 - Why not using L-systems instead?

Buildings using L-systems



Buildings using L-systems

- If we use L-systems, we can also simulate the buildings construction process

Coming up next

- Urban features
- Grade-separated highways
- Bridges
- Adding functions
 - Residential
 - Commercial
 - Industrial
 - Historical
 - Community
 - College

Coming up next

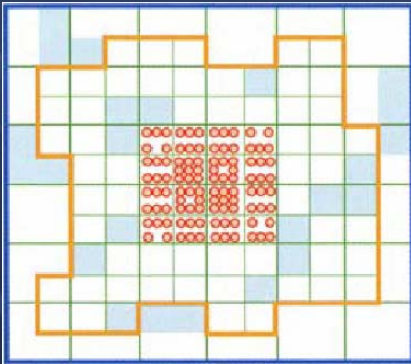
- Using real street networks
 - Acquisition
 - Interpolation between consecutive networks
 - Extracting/testing rules

the plants

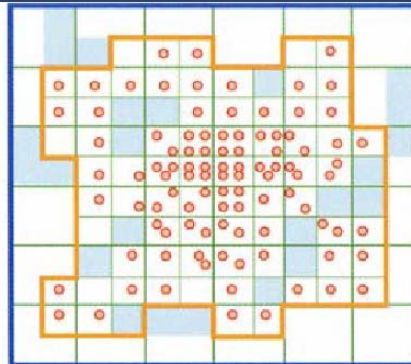
- Interactions with plants

Urban growth and suburban sprawl

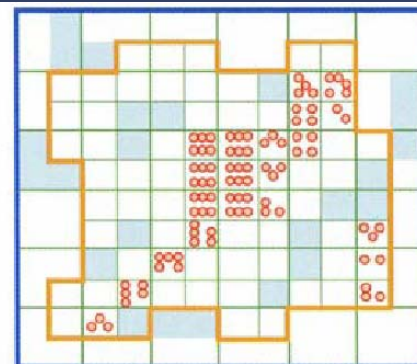
- Sprawl is defined as ‘uncoordinated growth’



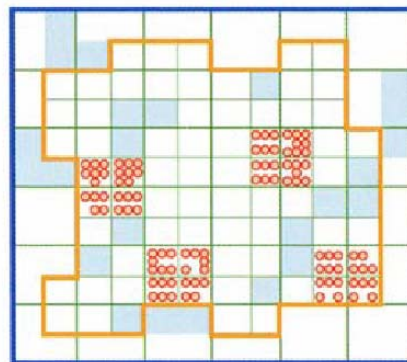
Compact Development



Scattered Development



Linear Strip Development



Polynucleated Development



Leapfrogging Development