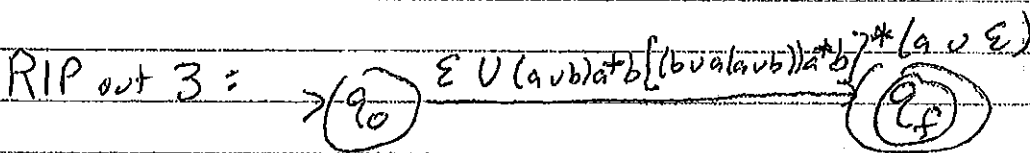
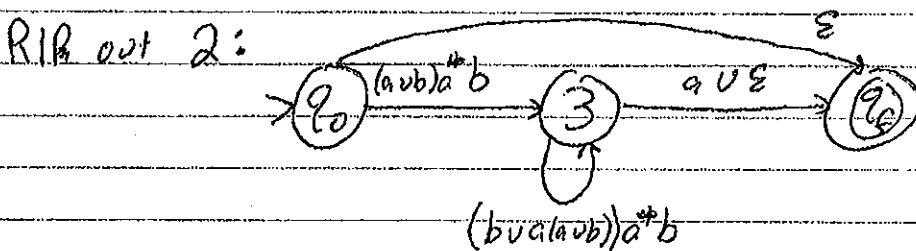
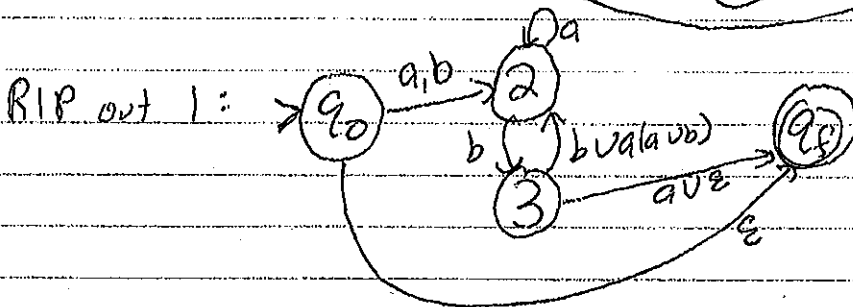
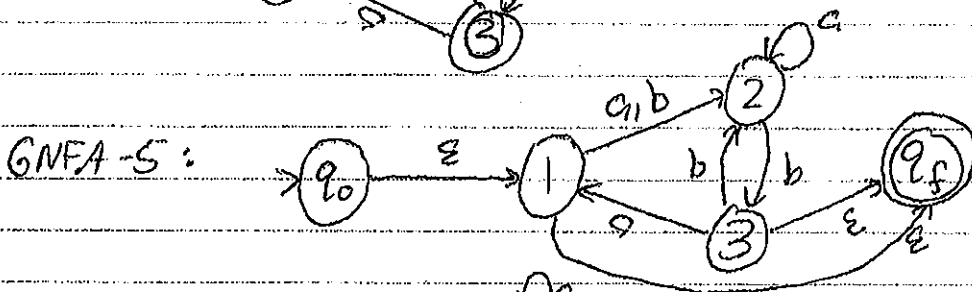
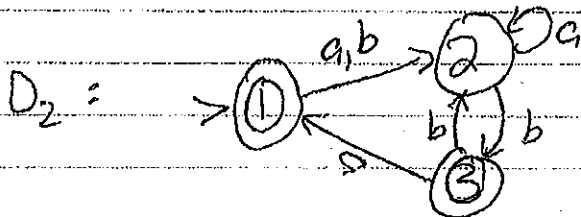
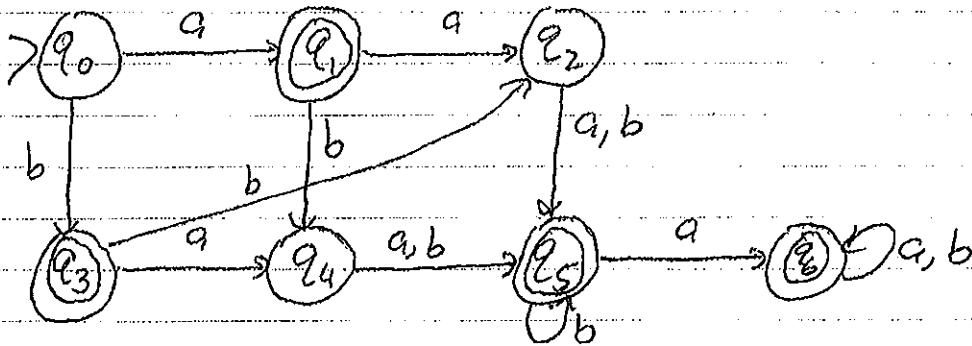


Thus a R.E. that expresses the same language as D_1 is $a^*b(a \cup ba^*b)^*$



Final R.E.: $\epsilon \cup (a \cup b)a^*b[(b \cup a(a \cup b))a^*b]^*(a \cup \epsilon)$

12) Here is a drawing of the original DFA:

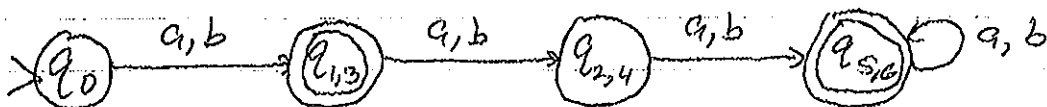


Algorithm

$[0, 2]$	$S[1, 5] = \{[0, 2]\}$, on a.
	$S[3, 5] = \{[0, 2]\}$, on b.
$[0, 4]$	$S[1, 5] = \{[0, 2], [0, 4]\}$ on a
	$S[3, 5] = \{[0, 2], [0, 4]\}$ on b
$[1, 3]$	$S[2, 4] = \{[1, 3]\}$ on a, b
$[1, 5]$	$D[1, 5] = 1$ by a.
	$D[0, 2] = 1$ recursively
	$D[0, 4] = 1$ recursively
$[1, 6]$	$D[1, 6] = 1$ by a.
$[2, 4]$	no action
$[3, 5]$	$D[3, 5] = 1$ by a.
$[3, 6]$	$D[3, 6] = 1$ by a.
$[5, 6]$	no action

Thus the states that can "stay together" are $\{q_1, q_3\}$, $\{q_2, q_4\}$, and $\{q_5, q_6\}$.

Here is the minimized DFA:



This is the language of the set of strings with length 1, or 3 or more.