

### **STACK & QUEUES**

COP 3502

- A stack is a data structure that stores information arranged like a stack.
  - We have seen stacks before when we used a stack to trace through recursive programs.
- The essential idea is that the last item placed into th first item removed

ne essential laca is that the last	
tem placed into the stack is the	15
irst item removed from the stack	15
Or LIFO(Last In, First Out) for short.	

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#### Stacks:

- Stacks are an Abstract Data Type
  - They are NOT built into C
- So we must define them and their behaviors
- Stack behavior:
  - A data structure that stores information in the form of a stack.
    - Contains any number of elements of the same type.
  - Access policy:
    - The last item placed on the stack is the first item removed from the stack.



#### Stacks:

#### Basic Operations: PUSH and POP

 $\geq$  PUSH – PUSH an item on the top of the stack.



#### Stacks:

#### Basic Operations: PUSH and POP

POP – POP off the item in the stack and return it.



#### Stacks:

Other useful operations:

- <u>empty</u> typically implemented as a boolean function that returns true if no items are in the stack.
- <u>full</u> returns true if no more items can be added to the stack.
  - In theory a stack should never be full, but any actual implementation has a limit on the # of elements it can store.
- <u>top</u> simply returns the value stored at the top of the stack without popping it off the stack.



- Simple Example:
  - PUSH(7)
  - PUSH(3)
  - PUSH(2)
  - POP
  - POP
  - PUSH(5)

2 5 7



POP

On Monday we used stacks to:

- 1) Convert infix expressions to postfix expressions
- 2) Evaluate postfix expressions
- Infix: 2 \* 3 + 5 + 3 \* 4
- Postfix: 23\*5+34\*+

The operator follows all of its operands

- Reduces computer memory access and utilizes the stack to evaluate expressions.
- No parentheses are necessary
- Still used by some calculators.



# **Stack Implementation**

Last class we talked about 2 typ implementations – Array and L

#### Array Implementation:

- When we initialize the array,
- There are no items in the stack, so what is top set to in the initialize function?

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# What if we push(10), then what is top? 0

- What if we pop(), then what is top?
  -1
- For all of these operations we either access top + 1, or top

so all operations are O(1) (we don't have to traverse the array.

struct stack {
 int items[SIZE];
 int top;

# **Stack Implementation**

struct stack {
 int data;
 struct stack \*next;
}:

Linked List Implementation };

- Notice that we don't have a 'top'
- Why?
  - >The top will ALWAYS be the first node
  - And we don't need to worry about the size since it's a linked list that can expand while there's heap memory available.
  - So we only need to either add an element to the front or take an element off of the front
    - The runtime for either operation is O(1)



# **Stack – Linked List Implementation**

Why do we use double pointers?

- If we want to be able to return a 0 or a 1 if a Push is successful,
  - We can't return the address of the new front of the list (which is what we would usually do with a linked list)
- So we'll pass a pointer to the front of the list (stack \*\*front)
  - and then if we modify (\*front) in the Push function we are changing not the local value of the pointer,
  - but we're changing the contents of the pointer in the same memory address that was passed from main so those changes will be reflected in main.



# **Stack Application**

- We did 2 examples last time:
  - Reading in a list of numbers from a user and printing it in backwards order.
    - We also talked about reading in each character of a string and printing it out in backwards order.
  - 2) Checking if we have matching parentheses



#### Queues

- If we wanted to simulate customers waiting in a line to be served,
  - We wouldn't use a stack...
    - LIFO is only going to make the person that got in line first mad.



#### Queues

We would want to use FIFO

- First In First Out, or 1<sup>st</sup> in line 1<sup>st</sup> one to get served.
- Instead of push and pop, we have the operations
  - Enqueue and Dequeue that add/remove elements from the list.



### **Queue Basic Operations**

#### Enqueue:

- Inserts an element at the back of the queue
- Returns 1 if successful, 0 otherwise.

#### Dequeue:

- Removes the element at the front of the queue.
- Returns the removed element.

#### Peek

- Looks at the element at the front of the queue without removing it.
- Returns the front element.

#### isEmpty

- Checks to see if the queue is empty.
- Returns true or false.

#### isFull

- Checks to see if the queue is full.
- Returns true or false.



### **Queue Example**



TIME	OPERATION
1	Enqueue(13)
2	Dequeue()
3	Enqueue(15)
4	Dequeue()
5	Dequeue()



- What would we need for an array implementation?
  - We need an array obviously
  - And we need to keep track of the front and the back.



# **BAD** Queue Implementation Example



TIME	OPERATION
1	Enqueue(13)
2	Dequeue()
3	Enqueue(15)
4	Dequeue()
5	Dequeue()

Notice that you have to Shift the contents of the Array over each time front changes



struct queue {
 int \*elements;
 int front;
 int numElements;
};

- We will use the following revamped idea to store our queue structure:
  - Keep track of the array, the front, and the current number of elements.



struct queue {
 int \*elements;
 int front;
 int numElements;
};

#### Enqueue:

- We'll simply add the given element to the index "back" in the array.
- BUT we're not storing "back"!!!!!
- What must we do instead?

Add it to the index: front + numElements

But what if this goes outside the bounds of our array?

numElements = 4





struct queue {
 int \*elements;
 int front;
 int numElements;
 int queueSize;
};

#### Enqueue(17):

- Add it to the index: front + numElements
  - But what if this goes outside the bounds of our array?
  - Front = 2, plus numElements = 4, gives us 6
  - We can mod by the queueSize
  - (front + numElements) % queueSize = 0





struct queue {
 int \*elements;
 int front;
 int numElements;
 int queueSize;
};

So we're allowing our array to essentially wrap around.

This way we don't have to copy the contents of our array over if front or back moves





struct queue {
 int \*elements;
 int front;
 int numElements;
 int queueSize;
};

#### Dequeue

- If the numElements > 0
  - >numElements--;
  - >front = (front + 1) % queueSize





#### Queues - Dynamically Allocated Array Imple struct queue { int \*elements; int front; int numElements; int queueSize;

- What if our numElements == queueSize?
  - We can realloc more memory for our array and update queueSize!
  - But we also need to make sure we copy over the wraparound values correctly.



# **Queues - Linked List Implementation**

- We are going to need a linked list
  - So we'll use the same node implementation as before.
- But we'll need to keep track of the front and the back.
  - Otherwise either enqueue or dequeue would require an O(n) traversal each time.
- So we'll keep a front and back pointer inside of a structure called queue.

```
struct node {
    int data;
    struct node *next;
};
struct queue {
    struct node *front;
    struct node *back;
};
```

