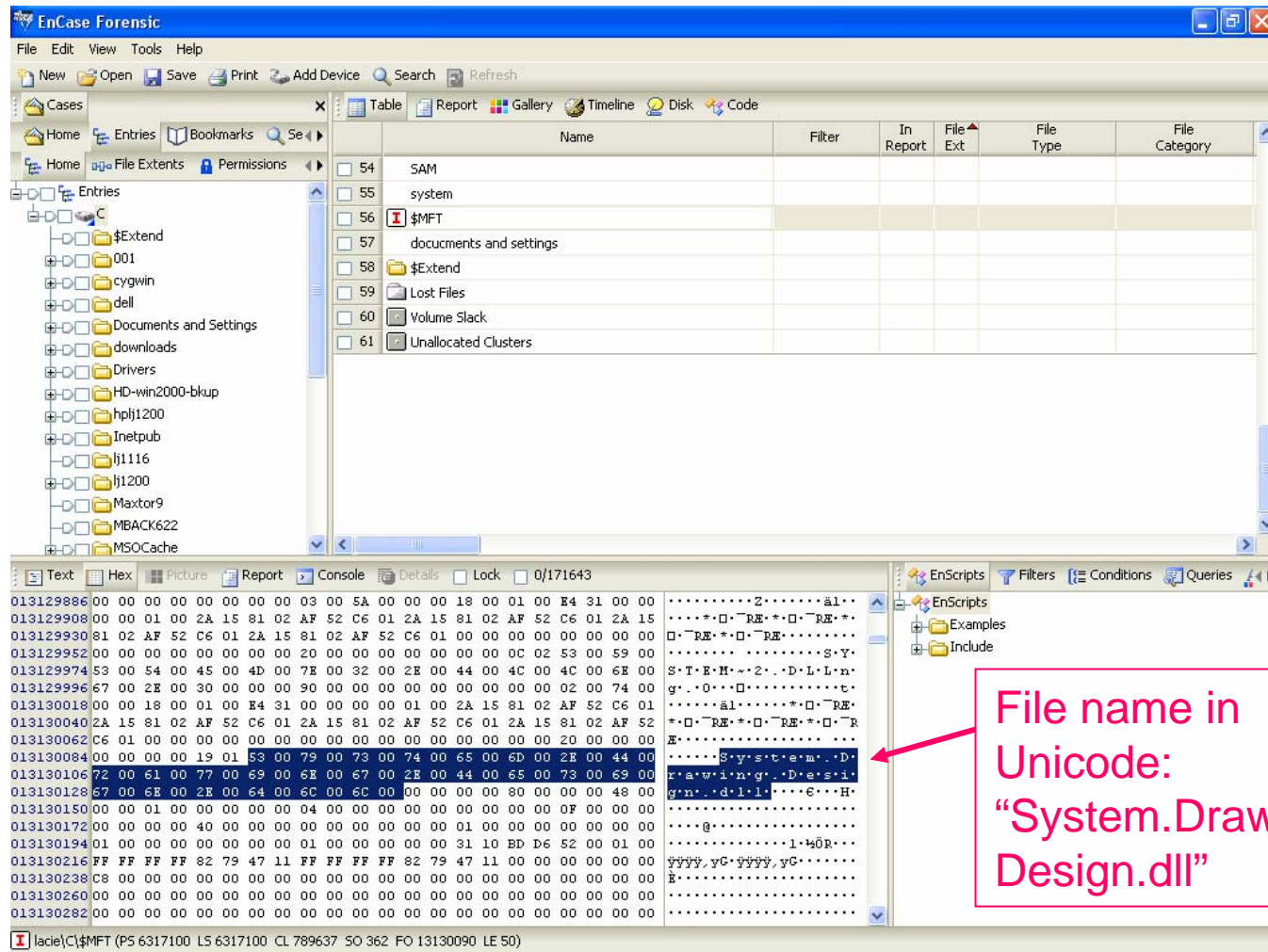


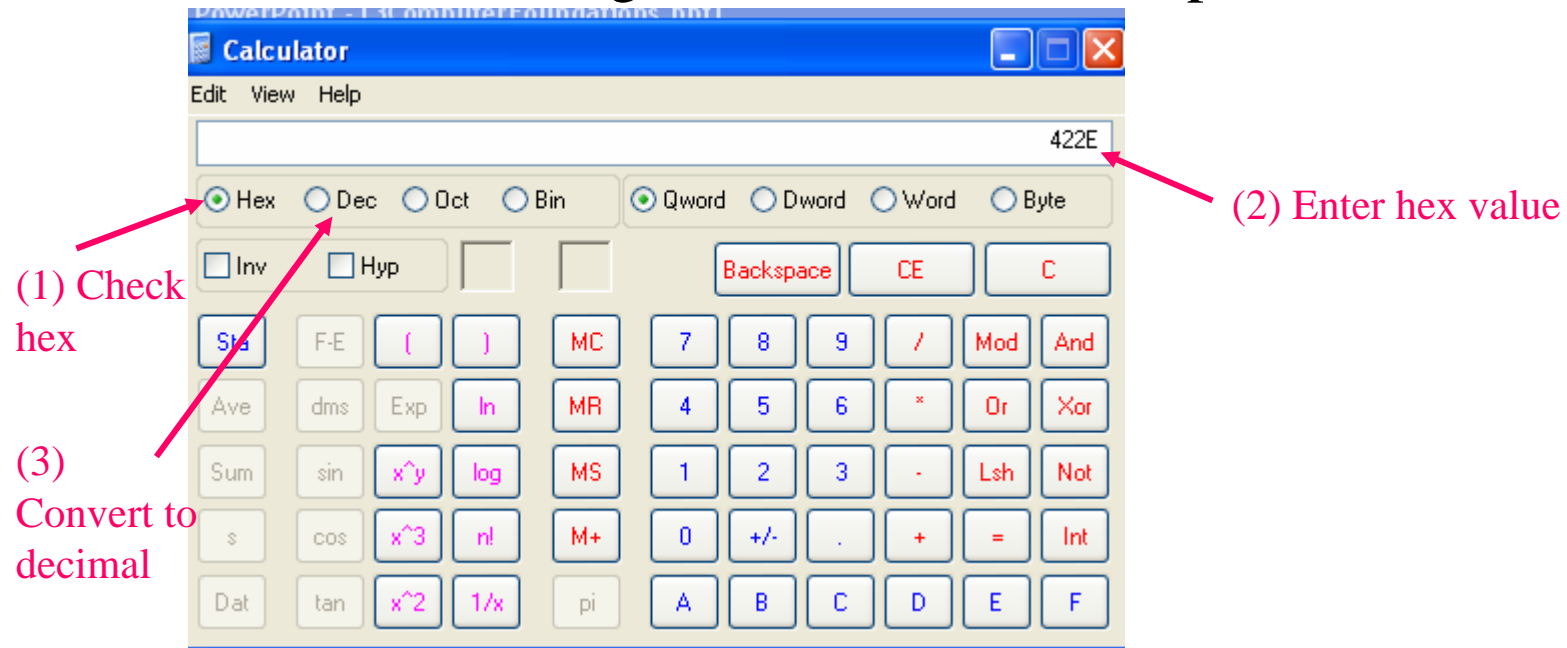
EnCase exam screenshot showing a file's name in MFT (master file table) of the NTFS file system:



File name in Unicode:
"System.Drawing.Design.dll"

Number system:

- decimal system: e.g., $123 = 1 * 10^2 + 2 * 10^1 + 3 * 10^0$
- binary system: e.g., $1101 = 1*2^3 + 1*2^2 + 0*2^1 + 1*2^0 = 13$ (in decimal)
- hexadecimal system: a base-16 system as an abbreviation for binary system by grouping 4 bits into a hex digit (0 – 9, A – F), e.g., $4C2E = 4*16^3 + 12*16^2 + 2*16^1 + 14*16^0 = 19502$ (in decimal, converted using Windows calculator pad)



Example. An IDE hard disk of size 60 GB (i.e., 60 billion bytes), which has a single partition of size 57207.9 MB (Megabytes). Why is the difference in size?

Answer: 1 KB = 1,024 bytes = 2^{10} bytes; 1 MB = 2^{20} bytes = 1048576 bytes. Thus, $57207.9 * 1048576 = 59986830950.4 \approx 60$ billion bytes

Representing negative numbers:

- Two common ways of representing negative numbers are sign-magnitude representation and two's-complement notation.

Note: Computers generally use two's-complement notation.

- Sign-magnitude sets the first bit to 1 if it is a negative number (the first bit, then, is not part of the quantity).
- Two's Complement inverts all of the bits and then adds one.

An example of binary arithmetic:

0000 1101 (13 in decimal)

1000 1101 (-13 in signed-magnitude notation)

1111 0010 (invert 0's and 1's for 13)

1111 0011 (2's complement representation of -13)

(note that $-(-13) = 13$, in both representations)

Subtraction works by adding the two's complement of a number
(and ignore carry out of the most significant place):

$$\begin{array}{r} 25 \quad 0001 \ 1001 \\ -13 \quad + \ 1111 \ 0011 \\ \hline 12 \quad 10000 \ 1100 \\ \quad \text{1} \\ \quad \text{ignored} \end{array}$$

Organization of Multiple-Byte Non-Negative Numbers:

- Numbers larger than 255 require more than 1 byte to represent. Common sizes are 1-byte, 2-bytes (16-bit), 4-bytes (32-bit), and 8-bytes (64-bit).
- Consider the number 954 :
 $954 = 0000\ 0011\ 1000\ 1010$ (using 16 bits) = 0x03BA (in hexadecimal), with the high (more significant) byte 03 and low byte BA,
 - in Big Endian notation, 03 BA (high byte 03 first, then BA), as in Motorola processors, Sun Solaris, and IBM mainframe computers
 - in Little Endian, BA 03 (low byte first in the lower address), as in Intel processors.