A Unified Approach to Object Category Recognition

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Collaborators: L. Yang, R. Jin, F. Jurie Details in IEEE CVPR 2008 paper

Object Category Recognition



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Standard Approach (adopted from text IR)

[Fei-Fei *et al.*, 2005]; [Sivic *et al.*, 2005]; and many others





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Limitation (II):

Every SIFT feature forced into one cluster \rightarrow failure to capture partial similarity

Difficulty in deciding the number of clusters \rightarrow wrong choice leads to poor dictionaries













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Clustering is a special coding



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- Clustering is a special coding
 - Two coding vectors are either identical or orthogonal
 - Two coding vectors differ by at most two bits
- More general coding
 - Error Correcting Output Code (ECOC)





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- Our approach: coding by thresholded projections



| | P1 | P2 | P3 | P4 |
|----------------|----|----|----|----|
| \mathbf{x}_1 | | | | |
| \mathbf{x}_2 | | | | |
| \mathbf{x}_3 | | | | |
| \mathbf{x}_4 | | | | |
| \mathbf{x}_5 | | | | |
| \mathbf{x}_6 | | | | |



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- Our approach: coding by thresholded projections
 - Non-orthogonal codes chosen for maximal class separation
 - Key questions: how to select the projections P and thresholds b?







Anatomy of a Visual Bit



- Weakly-supervised learning of visual bits
- Applying visual bits to object category recognition







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Relevant Visual Bits Localize Concepts

Relevance of feature **x** to category *y*

$$\sum_{k=1}^{T} \alpha_k g_k(\mathbf{x}, y)$$





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Unified Approach



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Unified Approach



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• Given visual bit functions g(x, a) and weights α , how to measure if they are able to classify image $X = (\mathbf{x}_1, \dots, \mathbf{x}_n)$ into cat. $(y_1, y_2, ..., y_{\kappa})$



• Given visual bit functions g(x, a) and weights α , how to measure if they are able to classify image X=($\mathbf{x}_1, ..., \mathbf{x}_n$) into cat. ($y_1, y_2, ..., y_K$)



Solution: consider all possibilities

$$f(\mathbf{x}_{3}, y_{1}) = \sum_{k=1}^{T} \alpha_{k} g_{k}(\mathbf{x}_{3}, y_{1})$$
$$f(\mathbf{x}_{3}, y_{2}) = \sum_{k=1}^{T} \alpha_{k} g_{k}(\mathbf{x}_{3}, y_{2})$$
$$f(\mathbf{x}_{3}, y_{3}) = \sum_{k=1}^{T} \alpha_{k} g_{k}(\mathbf{x}_{3}, y_{3})$$

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Loss function for image X
$$l(X, y_1) = \frac{n}{\sum_{j=1}^{n} e(\mathbf{x}_j, y_1)}$$

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Given a collection of training images

$$\mathcal{T} = \{(X_i, \mathbf{y}_i), i = 1, \dots, N\}$$

Find optimal visual bits and combination weights by solving N

$$\min_{g_{1:T},\alpha_{1:T}} \mathcal{L}(\alpha_{1:T},g_{1:T}) = \sum_{i=1}^{N} l(X_i,\mathbf{y}_i)$$

Overview of optimization algorithm (reminiscent of boosting)

- Iterative approach: learn one visual bit (g) and weight (α) at a time
- Employ bound optimization to decouple g and α

[details in paper and supplementary material]



Results on PASCAL 2006 (AUR with 100 training examples)

- Follows methodology from [Marszalek & Schmid, 2006]
- Baselines
 - Standard: K-means (k=1000) + SVM (χ^2 kernel)
 - Discriminative: Extremely Randomized Clustering Forests

| Class | KM-SVM | ERCF | Our Method |
|---------|-------------------|-------------------|-------------------|
| sheep | 0.551 ± 0.046 | 0.747 ± 0.017 | 0.842 ± 0.008 |
| bus | 0.618 ± 0.030 | 0.708 ± 0.024 | 0.930 ± 0.005 |
| cat | 0.697 ± 0.011 | 0.753 ± 0.015 | 0.759 ± 0.016 |
| bicycle | 0.750 ± 0.026 | 0.744 ± 0.021 | 0.782 ± 0.021 |
| car | 0.654 ± 0.043 | 0.731 ± 0.019 | 0.875 ± 0.007 |
| COW | 0.519 ± 0.026 | 0.751 ± 0.026 | 0.790 ± 0.017 |
| dog | 0.670 ± 0.011 | 0.706 ± 0.026 | 0.761 ± 0.012 |
| horse | 0.503 ± 0.016 | 0.712 ± 0.025 | 0.671 ± 0.009 |
| motor | 0.496 ± 0.017 | 0.733 ± 0.019 | 0.782 ± 0.013 |
| person | 0.551 ± 0.035 | 0.729 ± 0.015 | 0.722 ± 0.007 |



Conclusion

- Unify codebook construction + classifier training
 - Generate codebooks by iterative projection
 - Efficiently learn projection and weights together
- Impact on object category recognition
 - Learns better representations with limited training data
 - No parameters to tune



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